



Sir M. Visvesvaraya Institute of Technology

Bengaluru - 562157

Approved by AICTE | Affiliated to VTU Belagavi | Accredited by NAAC

Department of Mathematics

Course File

Name of the Faculty

Academic Year

Name of the faculty

: SHUBA R N
: 2023-24

Name of the Subject with code : *Mathematics-II for ECE stream (B.MATE201)*
Semester and year II / 2024

SL No	Contents in Course File	Page Number
1.	Department Vision, Mission, PEOs, PSOs, POs	
2.	Subject Allotment order	
3.	Course Information sheet	
4.	Calendar of Events	
5.	Time Table of the class and Individual Time Table of the faculty	
6.	Student List	
7.	Syllabus copy for the course	
8.	Lesson Plan	
9.	Evaluation Pattern for the course	
10.	CO-PO-PSOs Mapping and justification	
11.	CO-PO Attainment sheet of the previous year for the same course Actions taken to improve the attainment and report MoM from DAAC(DEPT Academic Advisory Committee)	
12.	Lab Course Plan with CO/PO/PSO Mapping for Lab(IPCC) CO PO mapping print out sheet for Lab CO-PO Justification for the correlation given 1,2,3 for Lab CO-PO Attainment sheet for Lab CO-PO Attainment sheet of the previous year for the same lab course Continuous Improvement Evaluation (CIE) in Lab sheet.	
13.	Gaps in the curriculum as identified during the introduction of new scheme	
14.	Topics Beyond Syllabus to bridge the Gaps in the Curriculum	
15.	Internal Test Question papers with CO -PO mapping and Blooms Taxonomy with scheme of evaluation.	

16.	Internal Marks	
17.	List of slow learners and attendance sheet of the remedial classes conducted and impact analysis.	
18.	List of fast learners and their achievements	
19.	Tutorial sheets(If applicable)	
20.	Course Material	
21.	Pedagogical/Innovative Teaching	
22.	Impact Analysis sheet of Assignment/Seminar/Workshop along with PO attainment	
23.	Course end survey by the students.	
24.	Student Feedback	
25.	Result Analysis	
26.	CO-PO Attainment sheet	
27.	Additional Responsibilities if any	

Rube.R.N

Signature of Staff

[Signature]

Signature of HOD



Sir M. Visvesvaraya Institute of Technology

Department of Mathematics

VISION

To achieve academic excellence in mathematics thus enabling students to have enhanced opportunities in the field of mathematics and engineering.

MISSION

To provide the students with a strong mathematical foundation which meets the requirement in the field of industry, research and higher education



Sir M. Visvesvaraya Institute of Technology

Department of Mathematics

Vision

- To be a centre of excellence in technical and management education concurrently focusing on disciplined and integrated development of personality through quality education, sports, cultural and co-curricular activities.
- To promote transformation of students into better human beings, responsible citizens and competent professionals to serve as a valuable resource for industry, work environment and society.

Mission

- To impart quality technical education, provide state-of-art facilities, achieve high quality in teaching-learning & research and encourage extra & co-curricular activities.
- To stimulate in students a spirit of inquiry and desire to gain knowledge and skills to meet the changing needs that can enrich their lives.
- To provide opportunity and resources for developing skills for employability and entrepreneurship, nurturing leadership qualities, imbibing professional ethics and societal commitment.
- To create an ambience and nurture conducive environment for dedicated and quality staff to upgrade their knowledge & skills and disseminate the same to students on a sustainable long term basis.
- To facilitate effective interaction with the industries, alumni and research institutions.



Sir M. Visvesvaraya Institute of Technology
Department of Mathematics

Programme Educational Objective (PEO):

1. To provide a degree course suitable for students enabling them to apply the concepts of mathematics to students.
2. To prepare students for further study and in preparing successful career in industry and R&D organization.
3. To provide students with knowledge of mathematics and in preparing successful career in industry and R&D organization.

Program Outcomes

Sl. No.	Description	POs
1	Engineering knowledge: Apply the knowledge of mathematics, science, engineering fundamentals, and computer science and business systems to the solution of complex engineering and societal problems.	PO1
2	Problem analysis: Identify, formulate, review research literature, and analyze complex engineering and business problems reaching substantiated conclusions using first principles of mathematics, natural sciences, and engineering sciences.	PO2
3	Design/development of solutions: Design solutions for complex engineering problems and design system components or processes that meet the specified needs with appropriate consideration for the public health and safety, and the cultural, societal, and environmental considerations.	PO3
4	Conduct investigations of complex problems: Use research-based knowledge and research methods including design of experiments, analysis and interpretation of data, and synthesis of the information to provide valid conclusions.	PO4
5	Modern tool usage: Create, select, and apply appropriate techniques, resources, and modern engineering and IT tools including prediction and modeling to complex engineering activities with an understanding of the limitations	PO5
6	The engineer and society: Apply reasoning informed by the contextual knowledge to assess societal, health, safety, legal and cultural issues and the consequent responsibilities relevant to the professional engineering and business practices.	PO6
7	Environment and sustainability: Understand the impact of the professional engineering solutions in business societal and environmental contexts, and demonstrate the knowledge of, and need for sustainable development.	PO7
8	Ethics: Apply ethical principles and commit to professional ethics and responsibilities and norms of the engineering and business practices.	PO8
9	Individual and team work: Function effectively as an individual, and as a member or leader in diverse teams, and in multidisciplinary settings.	PO9
10	Communication: Communicate effectively on complex engineering activities with the engineering community and with society at large, such as, being able to comprehend and write effective reports and design documentation, make effective presentations, and give and receive clear instructions.	PO10
11	Project management and finance: Demonstrate knowledge and understanding of the engineering, business and management principles and apply these to one's own work, as a member and leader in a team, to manage projects and in multidisciplinary environments.	PO11
12	Life-long learning: Recognize the need for, and have the preparation and ability to engage in independent and life-long learning in the broadest context of technological change.	PO12

SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY

Department of Mathematics

Subject Allotment-2023-24(EVEN SEMESTER)


Name of the staff: SHUBA R N

Designation: Assistant Professor

Subject allotted:

SL. No.	Name of the subject with code	Semester	Theory/Lab
1	Mathematics-II for EEE stream (D sec)	II	Theory
2	Discrete Mathematical Structures	IV	Theory

SL. No.	Title	Subject code	Semester
1	Mathematics Lab (using Python)	BMATS201 BMATE201	II Sem I & K sec II Sem E sec


Signature of the faculty


HOD

COURSE INFORMATION SHEET

Course Name / Code	Mathematics-II for EEE stream(BMAT201)		
Degree / Branch	B.E/		
Course Credit	4		
Course Category	<i>Core Subject</i> /Professional Elective/ Open Elective / Laboratory Course		
Course Teacher Contact Details	Course Teacher Name	Contact Details	
		Mobile	E-mail
	SHUBA R N	9620442126	subha_math@sirmvit.edu
Head of the Department	Dr Sreelakshmi N		



ವಿಶ್ವೇಶ್ವರಯ್ಯ ತಾಂತ್ರಿಕ ವಿಶ್ವವಿದ್ಯಾಲಯ

(ವಿ.ಟಿ.ಯು. ಅಧಿನಿಯಮ 1994 ರ ಅಡಿಯಲ್ಲಿ ಕರ್ನಾಟಕ ಸರ್ಕಾರದಿಂದ ಸ್ಥಾಪಿತವಾದ ರಾಜ್ಯ ವಿಶ್ವವಿದ್ಯಾಲಯ)

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

(State University of Government of Karnataka Established as per the VTU Act, 1994)

Phone : 0831-2498100 / 240546

Fax : 0831-2405467

Email : registrar@vtu.ac.in

Web : https://vtu.ac.in

Reference:VTU/BOS/AC2023-24(EVEN)/6251

10/2 FEB 2024

NOTIFICATION

Subject: Tentative Academic Calendar for II sem B.E./B.Tech/B.Plan/B.Des/B.Arch, IV sem B.Arch./B.Plan., and VI sem of B.Arch/B.Plan, regarding...

Reference: Hon'ble Vice-Chancellor's approval Dated: 08.02.2024

The tentative academic calendar concerned with EVEN semesters of undergraduate programs(II sem B.E./B.Tech/B.Plan/B.Des/B.Arch, IV sem B.Arch./B.Plan., and VI sem of B.Arch/B.Plan)is attached to this notification for reference to all the stakeholders concerned.

The principals of non-autonomous, constituent, and autonomous engineering colleges and chairpersons of university departments are hereby informed to bring the academic calendar to the attention of all concerned.

If any suggestions/clarification/corrections, email-sbhalbhavi@vtu.ac.in

Sd/-

REGISTRAR

To,

1. The Principals of all Non-autonomous/ constituent /Autonomous Engineering Colleges under the ambit of VTU Belagavi.
2. The chairperson, of the Department of Mechanical Engineering /Civil Engineering /Computer Science and Engineering& Communication Electronics Engineering of the University.

Copy to.

1. To the Hon'ble Vice-Chancellor through the secretary to VC, VTU Belagavi for information
2. The Registrar (Evaluation), VTU Belagavi for information and needful.
3. The Regional Directors (I/c) of all the regional offices of VTU for circulation.
4. The Director ITI SMU, VTU Belagavi for information and to make arrangements to upload the Academic Calendar on the VTU web portal.
5. The Director of Physical Education, VTU Belagavi for information
6. The Director, Central Placement Cell, VTU Belagavi for information
7. The Special Officer Library, VTU Belagavi for information
8. All the concerned Special Officer/s and Caseworker/s of the academic section, VTU, Belagavi.
9. Office copy

R 12/02/24 E
REGISTRAR
10/2

Academic Calendar for EVEN Semester of UG programs for the year 2023-24

	II semester B.E./B.Tech	II semester B.Plan/B.Arch/ B.Des	II semester B.Sc(Hons)	IV semester B.Arch.	IV semester B.Plan	VI Semester B.Arch.	VI semester B. Plan
Commencement of the Semester	06.03.2024	06.03.2024	04.03.2024	04.03.2024	04.03.2024	26.02.2024	06.03.2024
Internship / Students Induction Program	---	---	---	---	---	---	---
Commencement of Classes	06.03.2024	06.03.2024	06.03.2024	06.03.2024	06.03.2024	26.02.2024	06.03.2024
Last Working day of the Semester	29.06.2024	29.06.2024	29.06.2024	29.06.2024	29.06.2024	22.06.2024	29.06.2024
Practical Examination	01.07.2024 To 11.07.2024	01.07.2024 To 11.07.2024	01.07.2024 To 06.07.2024	01.07.2024 To 06.07.2024	01.07.2024 To 06.07.2024	25.07.2024 To 31.07.2024	01.07.2024 To 06.07.2024
Theory Examinations	15.07.2024 To 10.08.2024	15.07.2024 To 10.08.2024	08.07.2024 To 27.07.2024	08.07.2024 To 27.07.2024	08.07.2024 To 02.08.2024	08.07.2024 To 02.08.2024	08.07.2024 To 02.08.2024
Internship/Practical Exam for Lateral Entry Students	---	---	---	---	03.08.2024 To 31.08.2024	---	03.08.2024 To 31.08.2024
Internship Viva Voce/ Project viva	---	---	---	---	---	---	---
Commencement of NEXT Semester	19.08.2024	19.08.2024	19.08.2024	05.08.2024	02.09.2024	05.08.2024	02.09.2024


 REGISTRAR
 Visvesvaraya Technological University
 BELAGAVI.




SIR M. VISVESVARAYA INSTITUTE OF TECHNOLOGY, BANGALORE
DEPARTMENT OF MATHEMATICS
TIME TABLE FOR EVEN SEMESTER 2023-2024

FACULTY NAME: SHUBA R N


DESIGNATION: ASSISTANT PROFESSOR

FACULTY NAME: SHOBAR N									
TIME ⇒ DAY ↓	9:00 AM TO 9:55 AM	9:55 AM TO 10:50 AM	10:50 AM TO 11:00 AM	11:00 AM TO 11:55 AM	11:55 AM TO 12:50 PM	12:50 PM TO 1:35 PM	1:35 PM TO 2:30 PM	2:30 PM TO 3:25 P.M.	3:25 PM TO 4:20 PM
MONDAY		2D	TEA BREAK	CS-C		← E2 LAB →			
TUESDAY		2D		CS-C			2D		
WEDNESDAY		CS-C							
THURSDAY		CS-C					2D		
FRIDAY	← K2 LAB →								
SATURDAY	← I1 LAB →								

DETAILS OF FACULTY HANDING CLASSES

SL. NO.	COURSE TITLE	COURSE CODE
1	MATHEMATICS FOR ECE STREAM -II	BMATE201
2	MATHEMATICS LAB PYTHON[CSE]	BMATS201
3	MATHEMATICS LAB PYTHON[EEE]	BMATE201
4	DESCRETE MATHEMATICAL STRUCTURES	BCS405A

PREPARED BY: UMA S
DESIGNATION: ASSOCIATE PROFESSOR
SIGNATURE: 

APPROVED BY: Dr.UMA S K
DESIGNATION: PROFESSOR AND HOD
SIGNATURE: 

Professor and Head
Department of Mathematics
Sir M Visvesvaraya Institute of Technology



Sir M. Visvesvaraya Institute of Technology, Bengaluru-562 157

Academic Year: 2023-24 Time Table - Second Semester: With Effect From 06/03/2024

Sem / Sec : II / D		BRANCH: EEE		ROOM NO: B209		Block Name: Basic Science			
TIME → DAY ↓	09.00 AM to 09.55 AM	09.55 AM to 10.50 AM	10.50 AM to 11.00 AM	11.00 AM to 11.55 AM	11.55 AM to 12.40 PM	12.40 PM to 01.35 PM	01.35 PM to 02.30 PM	02.30 PM to 03.25 PM	03.25 PM to 04.20 PM
Monday	BBEE203	BMATE201	TEA BREAK	ESC-II	LUNCH BREAK	BPWSK206	BPHYE202	C PROG LAB BESCK204E	
Tuesday	BKSKK207/ BKBKK207	BMATE201		BPHYE202		BIDTK258	BMATE201	LG	LG
Wednesday	ETC-II	PHY LAB-D1 MATH LAB-D2 (MCA106)				ESC-II	FORUM/CLUB ACTIVITIES		
Thursday	PHY LAB-D2 MATH LAB-D1 (M210)		TEA BREAK	BPHYE202		ETC-II	BMATE201	BBEE203	LIB
Friday	ETC-II	BPHYE202		ESC-II		BBEE203	LG	LIB	LIB

Sl. NO.	Course	Course code	Course Title	Faculty Names	Department
1.	ASC(IC)	BMATE201	Mathematics for EEE stream -II	Ms. R.N. Shuba	Mathematics
2.	ASC(IC)	BPHYE202	Applied Physics for EEE stream	Dr. Jayashree L	Physics
3.	ESC	BBEE203	Elements of Electrical Engineering	Dr. Mahesh K	EEE
4.	ESC-II	BESCK204X	Engineering Science Course- II	Refer to the attached table for details of faculty names and room numbers	
5.	ETC-II	BETCK205X	Emerging Technology Course- II		
6.	AEC	BPWSK206	Professional Writing Skills in English	Mr. Vishwas	Humanities
7.	HSMS	BKSKK207/BKBKK207	Sanskritika Kannada / Balake Kannada	Mr. Prashantha BB & Mr. Ramkumar S	Humanities
8.	AEC/SDC	BIDTK258	Innovation and Design Thinking	Dr. C.V. Mohan	EEE

Class Advisors: Ms. Jayashree & Mr. Rajesh Kumar


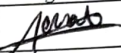

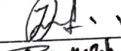

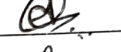
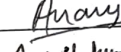
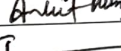

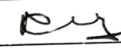

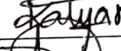
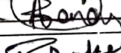
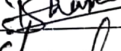
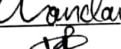
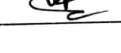
Time Table officer - TTO		Chief Time Table Officer - CTO	Principal
Name	Dr. G.K. Prashanth	Mr. S.B. Halesh	Prof. S.G. Rakesh
Signature			

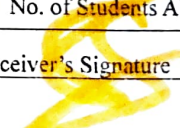
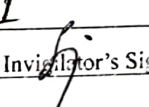
Sir M. Visvesvaraya Institute of Technology			
Bengaluru-562157			
Academic Coordination Cell			
Chemistry Cycle			
Section wise Student List (Computer Science Engg.)			
Semester: II		A.Y: 2023-24	
Branch:	CS	Section: K	
Room No. : B110		W.E.F: 06-March-2024	
Class Advisors:		Mrs. Purnimaa S. Dixit & Mrs. Divya	
S.No	USN	Student name	Student Sign / Remarks
1	1MV23CS128	RUCHIKA S V	
2	1MV23CS129	S KEERTHANA	
3	1MV23CS130	S SAI VENKATA ASHISH SAGABALA	
4	1MV23CS131	S SIRISHA	
5	1MV23CS132	SAHANA	
6	1MV23CS133	SAIKUMAR PUJARI	
7	1MV23CS134	SAISAKET DHANNURE	
8	1MV23CS135	SAKETH ALEVOORAYA K	
9	1MV23CS136	SAKSHAM TIWARI	
10	1MV23CS137	SAMEER RAJ	
11	1MV23CS138	SAMYAK	
12	1MV23CS139	SANDEEP KUMAR	
13	1MV23CS140	SANKETH R	
14	1MV23CS141	SANSKAR PANDEY	
15	1MV23CS142	SATYAM KUMAR	
16	1MV23CS143	SEMBETI NRUSIMHA ARYA VARDHAN	
17	1MV23CS144	SHAIK SIBGATHULLA	
18	1MV23CS145	SHANKAR B KORI	
19	1MV23CS146	SHASHWAT NAMDEO	
20	1MV23CS147	SHASHWAT PANDEY	
21	1MV23CS148	SHASHWAT SHAURYA	
22	1MV23CS149	SHASHWAT SHUKLA	
23	1MV23CS150	SHREYAS DODDAMANI	
24	1MV23CS151	SHUBHASHREE BABURAYA NAYAK	
25	1MV23CS152	SHYAM RAJU N	
26	1MV23CS153	SINDHU ADIVEPPA WADARATTI	
27	1MV23CS154	SMITHA M	
28	1MV23CS155	SNEHA Y M	
29	1MV23CS156	SONIKA G K	

Branch:	CS	Section: K	
30	1MV23CS157	SRUSHTI MANOHAR HOSAMANI	
31	1MV23CS158	SUBHOJIT DEY	
32	1MV23CS159	SUHAS T	
33	1MV23CS160	SUJAY JN	
34	1MV23CS161	SUPARN NAYAK	
35	1MV23CS162	SUPRABHA C ADIGA	
36	1MV23CS163	SWAPNA K Y	
37	1MV23CS164	SWETANSHU	A A
38	1MV23CS165	TANMAY SHARMA	A
39	1MV23CS166	TEJASWINI N	
40	1MV23CS167	UJJWAL RAMAN	A
41	1MV23CS168	UJJWAL KUMAR	A
42	1MV23CS169	UMME RUMAAN	
43	1MV23CS170	USHA RANI B M	
44	1MV23CS171	UTPAL KUMAR	
45	1MV23CS172	V B VARSHA BALASUBRAMANYA	A
46	1MV23CS173	VAIBHAV SINGH	
47	1MV23CS174	VAISHNAVI	
48	1MV23CS175	VALLAPUREDDY SHANMUKA	
49	1MV23CS176	VANDANA P B	
50	1MV23CS177	VARSHA H L	
51	1MV23CS178	VARSHA K N	
52	1MV23CS179	VIBHANSHI JAIN	A A
53	1MV23CS180	VIJAY V R	
54	1MV23CS181	VIKAS	
55	1MV23CS182	VIKRAM RAWAL	A
56	1MV23CS183	VINAYAK SARAF	A A
57	1MV23CS184	VINUTHA V	
58	1MV23CS185	VIRESH BAJPAI	A A
59	1MV23CS186	VISHWANATH SHIVANANDA HUBBALLI	
60	1MV23CS187	YAMANOORAPPA RATHOD	A
61	1MV23CS188	YASHAS ALLAPPANAVAR	A
62	1MV23CS189	YASHASWI ANAND	A A
63	1MV23CS190	YASHWANTH A	

Academic Coordinator

Principal

		Sir M. Visvesvaraya Institute of Technology, Bangalore 562 157			Academic Year 2023 - 2024	
		Test: 2	Date: 24-6-24	Time: 10:00 a.m	Room No: E305	
		Course / Branch: B.E / EE	Section:	Semester: II	Sub Code: BEMAT201	
		Invigilator's Name: Suraj kumar B. P				
Sl. No.	USN	Student's Name	Booklet's Number	Student's Signature	Marks Obtained	
1	1MV23EE001	ACHAL CHOURASIYA	14 41302		23	
2	1MV23EE002	ADARSH KUMAR G M	7 41301		12	
3	1MV23EE003	ADITYA SURYA DEV N P	14 41297		24	
4	1MV23EE004	AKARSHIKA SRIVASTAVA	10 41305		17	
5	1MV23EE005	AMBIKA SHATAGAR	14 41312		23	
6	1MV23EE006	ANANYA SINGH	13 41316		22	
7	1MV23EE007	ANKIT KUMAR	8 41313		14	
8	1MV23EE008	ARYA M	ABSENT			
9	1MV23EE009	ARYA PRASAD S	4 41306		07	
10	1MV23EE010	ARYAN ANILRAO DESALE	9 41315		15	
11	1MV23EE011	ASTITWA SINGH	10 41312		17	
12	1MV23EE012	BAIREDDY KALYANI	15 41314		25	
13	1MV23EE013	BHARAT M HANASI	14 41311		23	
14	1MV23EE014	BHASKAR SINHA	12 41293		20	
15	1MV23EE015	CHANDAN J	14 41318		24	
16	1MV23EE016	CHEELAM VARUN REDDY	11 41297		19	
17						
18						
19						
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23						
24						
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27						
28						
29						
30						

No. of Booklets Issued: 16	No. of Unused Booklets Returned: 1
No. of Students Present: 15	No. of Students Absent: 1
Receiver's Name: RSV	Receiver's Signature: 
	Invigilator's Signature: 



Sir M. Visvesvaraya Institute of Technology, Bangalore 562 157

Academic Year
2023 - 2024

Test: 02

Date: 24/06/24

Time: 10.00 - 11.00 AM

Room No: E309

Course / Branch: B.E / EE

Section: D

Semester: II

Sub Code: BMATE-201

Invigilator's Name: Heshnee Banik

Sl. No.	USN	Student's Name	Booklet's Number	Student's Signature	Marks Obtained
1	1MV23EE017	DEEKSHITHA D G	41262	Deekshitha	18 11
2	1MV23EE018	DEEPIKA E	41481	Deepika E	25 15
3	1MV23EE019	DIAMOND TIRTHANKAR RAJ	412866	Diamond	08 508
4	1MV23EE020	DILEEP L	41478	Dileep L	15 9
5	1MV23EE021	FIZA KOUSAR	41480	Fiza	25 15
6	1MV23EE022	G K SPOORTHY	41261	Spoorthi	04 2
7	1MV23EE023	GAYATRI	41289	Gayatri	25 15
8	1MV23EE024	GIRISH T P	41274	Girish T P	13 8
9	1MV23EE025	HEMANTH K D	41479	Hemant K	16 10
10	1MV23EE026	JEEVAN	41268	Jeevan	16 10
11	1MV23EE027	KEERTHANA B Y	41290	Keerthana	25 15
12	1MV23EE028	LAKSHMI	41269	Lakshmi	18 18 11
13	1MV23EE029	LAKSHMI H GOWDA	41263	Lakshmi H	23 14
14	1MV23EE030	LAVANYA R	41270	Lavanya	17 10
15	1MV23EE031	LIKHITH S R	41264	Likhith	19 11
16	1MV23EE032	MAANYA S	41482	Maanya	25 15
17	1MV23EE033	MAHAMMAD ANEEF M	41265	Aneef M	12 7
18	1MV23EE034	MANOHAR KUMAR	41267	Manohar	23 14
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No. of Booklets Issued: 18

No. of Unused Booklets Returned: 0

No. of Students Present: 18

No. of Students Absent: 0

Receiver's Name:

Receiver's Signature

Invigilator's Signature



Sir M. Visvesvaraya Institute of Technology, Bangalore 562 157

Academic Year
2023 - 2024

Test: II

Date: 24/6/24

Time: 10:00 - 11:00

Room No: M010

Course / Branch: B.E / CSE

Section: D

Semester: II

Sub Code: BMATE201

Invigilator's Name: Saritha P

Sl. No.	USN	Student's Name	Booklet's Number	Student's Signature	Marks Obtained
1	1MV23EE035	MAYANK KUMAR	60355	<u>Mayank</u>	<u>16</u>
2	1MV23EE036	MUSTAFA BOHRA	60356	<u>Mustafa</u>	<u>25</u>
3	1MV23EE037	NAINIKA	60357	<u>Nainika</u>	<u>17</u>
4	1MV23EE038	NANDINI APAAR	60358	<u>Nandini</u>	<u>25</u>
5	1MV23EE039	NANDINI ARKACHARI	60360	<u>Nandini</u>	<u>23</u>
6	1MV23EE040	NANDITHA R	60359	<u>Nanditha</u>	<u>13</u>
7	1MV23EE041	NARSING	60354	<u>Narsing</u>	<u>16</u>
8	1MV23EE042	NAVEEN KUMAR	60353	<u>Naveen</u>	<u>14</u>
9	1MV23EE043	NAVEEN R	60351	<u>Naveen</u>	<u>23</u>
10	1MV23EE044	NIMISHA TRIPATHI	60352	<u>Nimisha</u>	<u>22</u>
11	1MV23EE045	NIMISHITH GOWDA D P	60350	<u>Nimishith</u>	<u>25</u>
12	1MV23EE046	NITESH KUMAR SAH	60349	<u>Nitesh</u>	<u>25</u>
13	1MV23EE047	NITISH KUMAR	60342	<u>Nitish</u>	<u>0</u>
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No. of Booklets Issued: 13

No. of Unused Booklets Returned: —

No. of Students Present: 13

No. of Students Absent: —

Receiver's Name: Uwa-s

Receiver's Signature: Saritha P

Invigilator's Signature: Saritha P



Sir M. Visvesvaraya Institute of Technology, Bangalore 562 157

Test: 2

Date: 21/6/24

Time: 10:00-11:00

Academic Year
2023 - 2024

Course / Branch: B.E / EE

Section: D

Semester: II

Room No: BT202

Invigilator's Name:

Tanaw

Sub Code: BMATE201

Sl. No.	USN	Student's Name	Booklet's Number	Student's Signature	Marks Obtained
1	1MV23EE048	OMKAR	41454		18
2	1MV23EE049	PATEL ADITI HIRALAL	ABSENT		
3	1MV23EE050	PIYUSH RATN	41455		25
4	1MV23EE051	POOJA P	41469		11
5	1MV23EE052	POOJA S N	41464		19
6	1MV23EE053	PRAJWAL APPASAHEB SHINDHE	41465		24
7	1MV23EE054	PRANAV BHARDWAJ	41466		13
8	1MV23EE055	PRATHAM SHARMA	41467		24
9	1MV23EE056	PRAVAAL RAJ MISHRA	41463		13
10	1MV23EE057	PREKSHA MUNDRA	41468		22
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II D

Moderation Completed

makshis
01/07/24

No. of Booklets Issued: 10	No. of Unused Booklets Returned: 10
No. of Students Present: 9	No. of Students Absent: 1
Receiver's Name: UMA.S	Receiver's Signature:
	Invigilator's Signature:

II Semester

Course Title:	Mathematics-II for Electrical & Electronics Engineering Stream		
Course Code:	BMATE201	CIE Marks	50
Course Type (Theory/Practical/Integrated)	Integrated	SEE Marks	50
		Total Marks	100
Teaching Hours/Week (L:T:P: S)	2:2:2:0	Exam Hours	03
Total Hours of Pedagogy	40 hours Theory + 10 to 12 Lab slots	Credits	04

Course objectives: The goal of the course **Mathematics-II for Electrical & Electronics Engineering Stream (22MATE21)** is to

- **Familiarize** the importance of Vector calculus, Vector Space and Linear transformation for electronics and electrical engineering.
- **Have an insight** into solving ordinary differential equations by using Laplace transform techniques.
- **Develop** the knowledge of solving electronics and electrical engineering problems numerically.

Teaching-Learning Process**Pedagogy (General Instructions):**

These are sample Strategies, which teachers can use to accelerate the attainment of the various course outcomes.

1. In addition to the traditional lecture method, different types of innovative teaching methods may be adopted so that the delivered lessons shall develop students' theoretical and applied mathematical skills.
2. State the need for Mathematics with Engineering Studies and Provide real-life examples.
3. Support and guide the students for self-study.
4. You will also be responsible for assigning homework, grading assignments and quizzes, and documenting students' progress.
5. Encourage the students to group learning to improve their creative and analytical skills.
6. Show short related video lectures in the following ways:
 - As an introduction to new topics (pre-lecture activity).
 - As a revision of topics (post-lecture activity).
 - As additional examples (post-lecture activity).
 - As an additional material of challenging topics (pre-and post-lecture activity).
 - As a model solution of some exercises (post-lecture activity).

Module-1: Vector Calculus (8 hours)

Introduction to Vector Calculus in EC & EE engineering applications.

Vector Differentiation: Scalar and vector fields. Gradient, directional derivative, curl and divergence - physical interpretation, solenoidal and irrotational vector fields. Problems.

Vector Integration: Line integrals, Surface integrals. Applications to work done by a force and flux. Statement of Green's theorem and Stoke's theorem. Problems.

Self-Study: Volume integral and Gauss divergence theorem.

Applications: Conservation of laws, Electrostatics, Analysis of streamlines and electric potentials.

(RBT Levels: L1, L2 and L3)

Module-2: Vector Space and Linear Transformations(8 hours)

Importance of Vector Space and Linear Transformations in the field of EC & EE engineering applications.

Vector spaces: Definition and examples, subspace, linear span, Linearly independent and dependent sets, Basis and dimension.

Linear transformations: Definition and examples, Algebra of transformations, Matrix of a linear transformation. Change of coordinates, Rank and nullity of a linear operator, Rank-Nullity theorem. Inner product spaces and orthogonality.

Self-study: Angles and Projections. Rotation, reflection, contraction and expansion.

Applications: Image processing, AI & ML, Graphs and networks, Computer graphics.

(RBT Levels: L1, L2 and L3)

Module-3: Laplace Transform(8 hours)

Importance of Laplace Transform for EC & EE engineering applications.

Existence and Uniqueness of Laplace transform (LT), transform of elementary functions, region of convergence. Properties- Linearity, Scaling, t-shift property, s-domain shift, differentiation in the s-domain, division by t, differentiation and integration in the time domain. LT of special functions- periodic functions (square wave, saw-tooth wave, triangular wave, full & half wave rectifier), Heaviside Unit step function, Unit impulse function.

Inverse Laplace Transforms:

Definition, properties, evaluation using different methods, convolution theorem (without proof); problems, and applications to solve ordinary differential equations.

Self-Study: Verification of convolution theorem.

Applications: Signals and systems, Control systems, LR, CR & LCR circuits.

(RBT Levels: L1, L2 and L3)

Module-4: Numerical Methods -1(8 hours)

Importance of numerical methods for discrete data in the field of EC & EE engineering applications.

Solution of algebraic and transcendental equations: Regula-Falsi method and Newton-Raphson method (only formulae). Problems.

Finite differences, Interpolation using Newton's forward and backward difference formulae, Newton's divided difference formula and Lagrange's interpolation formula (All formulae without proof). Problems.

Numerical integration: Trapezoidal, Simpson's $(1/3)^{rd}$ and $(3/8)^{th}$ rules (without proof). Problems.

Self-Study: Bisection method, Lagrange's inverse Interpolation, Weddle's rule.

Applications: Estimating the approximate roots, extremum values, area, volume, and surface area.
(RBT Levels: L1, L2 and L3)

Module-5: Numerical Methods -2(8 hours)

Introduction to various numerical techniques for handling EC & EE applications.
Numerical Solution of Ordinary Differential Equations (ODEs):

Numerical solution of ordinary differential equations of first order and first degree - Taylor's series method, Modified Euler's method, Runge-Kutta method of fourth order and Milne's predictor-corrector formula (No derivations of formulae). Problems.

Self-Study: Adam-Bashforth method.

Applications: Estimating the approximate solutions of ODE for electric circuits.
(RBT Levels: L1, L2 and L3)

List of Laboratory experiments (2 hours/week per batch/ batch strength 15)

10 lab sessions + 1 repetition class + 1 Lab Assessment

1	Finding gradient, divergent, curl and their geometrical interpretation and Verification of Green's theorem
2	Computation of basis and dimension for a vector space and Graphical representation of linear transformation
3	Visualization in time and frequency domain of standard functions
4	Computing inverse Laplace transform of standard functions
5	Laplace transform of convolution of two functions
6	Solution of algebraic and transcendental equations by Regula-Falsi and Newton-Raphson method
7	Interpolation/Extrapolation using Newton's forward and backward difference formula
8	Computation of area under the curve using Trapezoidal, Simpson's $(1/3)^{rd}$ and $(3/8)^{th}$ rule
9	Solution of ODE of first order and first degree by Taylor's series and Modified Euler's method
10	Solution of ODE of first order and first degree by Runge-Kutta 4 th order and Milne's predictor-corrector method

Suggested software's: Mathematica/MatLab/Python/Scilab

Course outcome (Course Skill Set)

At the end of the course the student will be able to:

CO1	Understand the applications of vector calculus refer to solenoidal, irrotational vectors, lineintegral and surface integral.
CO2	Demonstrate the idea of Linear dependence and independence of sets in the vector space, and linear transformation
CO3	To understand the concept of Laplace transform and to solve initial value problems.
CO4	Apply the knowledge of numerical methods in solving physical and engineering phenomena.
CO5	Get familiarize with modern mathematical tools namely MATHEMATICA/MATLAB/PYTHON/ SCILAB

Assessment Details (both CIE and SEE)

The weightage of Continuous Internal Evaluation (CIE) is 50% and for Semester End Exam (SEE) is 50%. The minimum passing mark for the CIE is 40% of the maximum marks (20 marks out of 50). The minimum passing mark for the SEE is 35% of the maximum marks (18 marks out of 50). A student shall be deemed to have satisfied the academic requirements and earned the credits allotted to each subject/ course if the student secures not less than 35% (18 Marks out of 50) in the semester-end examination(SEE), and a minimum of 40% (40 marks out of 100) in the total of the CIE (Continuous Internal Evaluation) and SEE (Semester End Examination) taken together.

Continuous Internal Evaluation(CIE):

The CIE marks for the theory component of the IC shall be **30 marks** and for the laboratory component **20 Marks**.

CIE for the theory component of the IC

- Three Tests each of 20 Marks; after the completion of the syllabus of 35-40%, 65-70%, and 90-100% respectively.
- Two Assignments/two quizzes/ seminars/one field survey and report presentation/one-course project totalling 20 marks.

Total Marks scored (test + assignments) out of 80 shall be scaled down to **30 marks**

CIE for the practical component of the IC

- On completion of every experiment/program in the laboratory, the students shall be evaluated and marks shall be awarded on the same day. The **15 marks** are for conducting the experiment and preparation of the laboratory record, the other **05 marks shall be for the test** conducted at the end of the semester.
- The CIE marks awarded in the case of the Practical component shall be based on the continuous evaluation of the laboratory report. Each experiment report can be evaluated for 10 marks. Marks of all experiments' write-ups are added and scaled down to 15 marks.
- The laboratory test (**duration 03 hours**) at the end of the 15th week of the semester /after completion of all the experiments (whichever is early) shall be conducted for 50 marks and scaled down to **05 marks**.

Scaled-down marks of write-up evaluations and tests added will be CIE marks for the laboratory component of IC/IPCC for **20 marks**.

- The minimum marks to be secured in CIE to appear for SEE shall be 12 (40% of maximum marks) in the theory component and 08 (40% of maximum marks) in the practical component. The laboratory component of the IC/IPCC shall be for CIE only. However, in SEE, the questions from the laboratory component shall be included. The maximum of 05 questions is

to be set from the practical component of IC/IPCC, the total marks of all questions should not be more than 25 marks.

The theory component of the IC shall be for both CIE and SEE.

Semester End Examination(SEE):

Theory SEE will be conducted by University as per the scheduled timetable, with common question papers for the subject (**duration 03 hours**)

- The question paper shall be set for 100 marks. The medium of the question paper shall be English/Kannada). The duration of SEE is 03 hours.
- The question paper will have 10 questions. Two questions per module. Each question is set for 20 marks. The students have to answer 5 full questions, selecting one full question from each module. The student has to answer for 100 marks and **marks scored out of 100 shall be proportionally reduced to 50 marks.**
- There will be 2 questions from each module. Each of the two questions under a module (with a maximum of 3 sub-questions), **should have a mix of topics** under that module.

Suggested Learning Resources:

Books (Title of the Book/Name of the author/Name of the publisher/Edition and Year)

Text Books

1. **B. S. Grewal:** "Higher Engineering Mathematics", Khanna Publishers, 44thEd., 2021.
2. **E. Kreyszig:** "Advanced Engineering Mathematics", John Wiley & Sons, 10thEd., 2018.

Reference Books

1. **V. Ramana:** "Higher Engineering Mathematics" McGraw-Hill Education, 11th Ed., 2017
2. **Srimanta Pal & Subodh C.Bhunia:** "Engineering Mathematics" Oxford University Press, 3rdEd., 2016.
3. **N.P Bali and Manish Goyal:** "A Textbook of Engineering Mathematics" Laxmi Publications, 10thEd., 2022.
4. **C. Ray Wylie, Louis C. Barrett:** "Advanced Engineering Mathematics" McGraw – Hill Book Co., New York, 6th Ed., 2017.
5. **Gupta C.B, Sing S.R and Mukesh Kumar:** "Engineering Mathematic for Semester I and II", Mc-Graw Hill Education(India) Pvt. Ltd 2015.
6. **H.K. Dass and Er. Rajnish Verma:** "Higher Engineering Mathematics" S.Chand Publication, 3rd Ed.,2014.
7. **James Stewart:** "Calculus" Cengage Publications, 7thEd., 2019.
8. **David C Lay:** "Linear Algebra and its Applications", Pearson Publishers, 4th Ed., 2018.
9. **Gareth Williams:** "Linear Algebra with applications", Jones Bartlett Publishers Inc., 6th Ed., 2017.
10. **Gilbert Strang:** "Linear Algebra and its Applications", Cengage Publications, 4th Ed., 2022.

Web links and Video Lectures (e-Resources):

16-2-2023

- <http://nptel.ac.in/courses.php?disciplineID=111>
- [http://www.class-central.com/subject/math\(MOOCs\)](http://www.class-central.com/subject/math(MOOCs))
- <http://academicearth.org/>
- VTU e-Shikshana Program
- VTU EDUSAT Program

Activity-Based Learning (Suggested Activities in Class)/Practical-Based Learning

- Quizzes
- Assignments
- Seminar

COs and POs Mapping (Individual teacher has to fill up)

COs	POs						
	1	2	3	4	5	6	7
CO1							
CO2							
CO3							
CO4							
CO5							

Level 3- Highly Mapped, Level 2-Moderately Mapped, Level 1-Low Mapped, Level 0- Not Mapped

SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY, BENGALURU-562157
DEPARTMENT OF MATHEMATICS

COURSE NAME: - Mathematics-II for Electrical & Electronics Engineering Stream
COURSE CODE: BMATE201

LESSON PLAN-EVEN SEM
AY: 2023-24

Course Outcomes (Course skills Sets):

At the end of the course the student will be able to:

CO1: Understand the applications of vector calculus refer to solenoidal, irrotational vectors, line integral and surface integral.

CO2: Demonstrate the idea of Linear dependence and independence of sets in the vector space, and linear transformation.

CO3: To understand the concept of Laplace transform and to solve initial value problems.

CO4: Apply the knowledge of numerical methods in solving physical and engineering phenomena.

CO5: Get familiarize with modern mathematical tools namely
 MATHEMATICA/MATLAB/PYTHON/SCILAB

Name of the Staff: SHUBA R N

DATE		TOPICS PLANNED	COs	POs	PI	RBT
FROM	TO					
6/3/24	8/3/24	Module-4: Numerical methods -1 <ul style="list-style-type: none"> Solution of polynomial and transcendental equations: Regula-Falsi and Newton-Raphson Methods-Problems. Finite differences, Interpolation using Newton's forward and backward difference formulae-problems. 	CO4	PO1& PO2	1.1.1	L1 L2 L3
11/03/24	15/03/24	<ul style="list-style-type: none"> Newton's divided difference formula-Problems. Lagrange's interpolation formula-Problems. Numerical integration: Trapezoidal, Simpson's (1/3)rd and (3/8)th rules-Problems. 	CO4	PO1& PO2	1.1.1	L1 L2 L3
20/03/24	22/03/24	Module-5: Numerical Methods -2 <ul style="list-style-type: none"> Numerical solution of ordinary differential equations of first order and first degree - Taylor's series method-Problems Modified Euler's method- Problems Runge-Kutta method of fourth order - Problems Milne's predictorcorrector formula- Problems 	CO5	PO1& PO2	1.1.1	L1 L2 L3
25/03/24	29/03/24	Module-3: Laplace Transform. <ul style="list-style-type: none"> Existence and Uniqueness of Laplace transform (LT), transform of elementary functions, region of convergence. 	CO3	PO1& PO2	1.1.1	L1 L2 L3

		<ul style="list-style-type: none"> Properties–Linearity, Scaling, t-shift property, s-domain shift, differentiation in the s-domain, division by t, differentiation and integration in the time domain 				
01/04/24	05/04/24	<ul style="list-style-type: none"> LT of special functions- periodic functions- Problems. Heaviside Unit step function-Problem 	CO3	PO1& PO2	1.1.1	L1 L2 L3
08/04/24	12/04/24	<ul style="list-style-type: none"> Unit impulse function-Problems. Inverse Laplace Transforms: Definition, properties, evaluation using different methods	CO3	PO1& PO2	1.1.1	L1 L2 L3
15/04/24	19/04/24	<ul style="list-style-type: none"> convolution theorem – problems, Applications to solve ordinary differential equations 	CO3	PO1& PO2	1.1.1	L1 L2 L3
22/04/24	26/04/24	Module-1: Vector Calculus <ul style="list-style-type: none"> Vector Differentiation: Scalar and vector fields. Gradient, directional derivative, curl and divergence - physical interpretation solenoidal and irrotational vector fields. Problems	CO1	PO1& PO2	1.1.1	L1 L2 L3
29/04/24	03/05/24	Vector Integration: Line integrals, Surface integrals.	CO1	PO1& PO2	1.1.1	L1 L2, L3
06/05/24	10/05/24	<ul style="list-style-type: none"> Applications to work done by a force and flux-Problems Statement of Green’s theorem and Stoke’s theorem-Problems 	CO1	PO1& PO2	1.1.1	L1 L2 L3
13/05/24	17/05/24	I-Internals				
20/05/24	24/05/24	Module-2: Vector Space and Linear Transformations. <ul style="list-style-type: none"> Vector spaces: Definition and examples subspace, linear span-Problems. 	CO2	PO1& PO2	1.1.1	L1 L2 L3
27/05/24	31/05/24	<ul style="list-style-type: none"> Linearly independent and dependent sets- Problems 	CO2	PO1& PO2	1.1.1	L1 L2 L3
03/06/24	07/06/24	<ul style="list-style-type: none"> Basis and dimension--Problems Linear transformations: Definition and examples, Algebra of transformations. 	CO2	PO1& PO2	1.1.1	L1 L2 L3
10/06/24	14/06/24	<ul style="list-style-type: none"> Matrix of a linear transformation. Change of coordinates. Rank-Nullity theorem. Inner product spaces and orthogonality-Problems. 	CO2	PO1& PO2	1.1.1	L1 L2 L3
17/06/24	21/06/24	Revision				
24/06/24	29/06/24	II-Internals				

Prepared by: Shuba R N
Signature: *Shuba R N.*
Designation: Assistant Professor

Approved by :
Signature: *[Signature]*
Designation: Professor & HOD



ವಿಶ್ವೇಶ್ವರಯ್ಯ ತಾಂತ್ರಿಕ ವಿಶ್ವವಿದ್ಯಾಲಯ
ವಿಶ್ವೇಶ್ವರಯ್ಯ ತಾಂತ್ರಿಕ ವಿಶ್ವವಿದ್ಯಾಲಯ

VISVESVARAYA TECHNOLOGICAL UNIVERSITY

State University of Government of Karnataka Established as per the VTU Act, 1994 "Manasagangotri" Belagavi-580018, Karnataka, India

Prof. R. E. Rangaswamy, Ph.D.
REGISTRAR

Phone: (0831) 2498100
Fax: (0831) 2405467

REF: VTU/BGM/ACA/BoS/2023/ 1335

DATE: 13 JUN 2023

REVISED CIRCULAR

Subject: CIE and SEE evaluations for 2022 scheme engineering programs regarding...

- Reference:**
1. JGOS 18.02.2023 and 171st EC meeting Proceeding no. 2.2.1
 2. dated: 23.02.2023
 3. VTU/BGM/ACA/BoS/2023/7350, dated 16.03.2023
 4. VTU/BGM/ACA/BoS/2023/661, dated 02.05.2023,
 5. Dean Sir approval vide email dated: 07.06.2023
 6. The Hon'ble Vice-Chancellor's approval Dated: 07.06.2023

The evaluation (CIE+SEE) details for the 2022 scheme of study and examinations for all undergraduate engineering programs were notified by the circular VTU/BGM/ACA/BoS/2023/7350, dated 16.03.2023, and is only valid for the first semester.

The Regulations governing the award of B.E./B. Tech degrees were finalized and approved in Resolution No. 2.2.1 of the 171st EC meeting. The same was notified vide notification VTU/BGM/ACA/BoS/2023/661, dated 02.05.2023. Therefore the evaluation procedures outlined in the circular VTU/BGM/ACA/BoS/2023/7350, dated 16.03.2023, and are no longer valid. All university stakeholders are advised to adopt the CIE+SEE as specified in the Regulations governing the issuance of B.E./B.Tech. Degrees for Scheme 2022.

Please note:

The weightage of Continuous Internal Evaluation (CIE) is 50% and for Semester End Exam (SEE) is 50%. The minimum passing mark for the CIE is 40% of the maximum marks (20 marks out of 50) and for the SEE minimum passing mark is 35% of the maximum marks (18 out of 50 marks). The student is declared as a pass in the course if he/she secures a minimum of 40% (40 marks out of 100) in the sum total of the CIE (Continuous Internal Evaluation) and SEE (Semester End Examination) taken together.

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To put it simply, evaluation techniques/methods are listed in the table for further understanding.

Course with Credits	Evaluation Type	Maximum Marks	Minimum Passing Marks	Evaluation Details
04 Credit IPCC	Total CIE theory + practical	50	20	
	CIE - IA Tests	15	6	Average of Two Internal Assessment Tests each of 25 marks, scale down the marks scored to 15 marks
	CIE - CCAs	10	4	Any two Assessment methods as per clause 220B4.2 of Regulations (if assessment is project based, then one assessment method may be adopted)
	Total CIE Theory	25	10	Scale down marks of tests and assignments to 25
	CIE Practical	15	06	Conduction of experiments and Preparation of Laboratory records, etc.
	CIE Practical Test	10	04	One test after all experiment's conduction for 50 marks
	Total CIE Practical	25	10	Scale down marks of Expts. record and test to 25
	SEE	50	18	SEE exam is a theory exam, conducted for 100 marks, scored marks are scaled down to 50 marks
	CIE+SEE	100	40	
	The minimum marks to be secured in CIE to appear for SEE shall be 10 (40% of maximum marks-25) in the theory component and 10 (40% of maximum marks -25) in the practical component. The laboratory component of the IPCC shall be for CIE only. However, in SEE, the questions from the laboratory component shall be included in their respective modules only.			
03 and 02 Credit Courses	CIE - IA Tests	25	10	Average of Two Internal Assessment Tests each of 25 marks
	CIE - CCAs	25	10	Any two Assessment methods as per clause 220B4.2 of Regulations ("if it is project based, one assignment shall be given)
	SEE	50	18	SEE exam is a theory exam, conducted for 100 marks, scored marks are scaled down to 50 marks.
	CIE+SEE	100	40	
	Note: A few of the courses of 03 credits are Integrated Course type, for such courses the method suggested for 04 credits IPCC shall be followed.			
01 Credit Course	CIE - IA Tests	25	10	Average Of Two Internal Assessment Tests each of 25 marks
	CIE - CCAs	25	10	Any two Assessment method as per clause 220B4.2 of Regulations
	SEE (MCQ Type)	50	18	MCQ-type question papers of 50 questions with each question of 01 mark, examination duration is 01 hour
	CIE+SEE	100	40	

The recommended evaluations are meant to get students involved in all forms of assessment and improve their SEE performance.

All the Principals of the Engineering Colleges/Chairpersons of the University departments are hereby informed to bring the content of this Notification to the notice of all concerned.

Sd/-
Registrar

To,

1. All the Principals of affiliated/ Constituent / Autonomous Engineering Colleges under the ambit of the VTU Belagavi
2. The Chairperson and Program Coordinator, PG Centres' VTU Belagavi, Kalaburagi, Mysuru, and Bengaluru where B.E./B.Tech., programs are being offered.

Copy to

1. To the Hon'ble Vice-Chancellor through the secretary to VC for information
2. The Registrar (Evaluation) for information and needful
3. The Director ITI SMU VTU Belagavi for information and make arrangements to upload it on the VTU web portal.
4. The Special Officer QPDS Examination section VTU Belagavi
5. The Coordinator IQAC VTU Belagavi
6. Office Copy

For 12/06/23 *DE*
REGISTRAR
H/ 12/06/23.



SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY, BENGALURU - 562157

DEPARTMENT OF MATHEMATICS

NAME OF THE FACULTY: Shuba R N

BATCH: 2023

SCHEME: 2022

BRANCH: CS/IS/IOT/AIIML/BT

1. POs CORRELATION

Sl.No	VTU Course Code	Course Name	POs Correlation
1	BMATS201	Engineering Mathematics –II For CSE stream	PO1, PO2, PO5

2. COURSE OUTCOMES (COs)

Semester: I		Year of Study: 2023-24
CO1	Apply the concept of change of order of integration and change of variables to evaluate multiple integrals and their usage in computing the area and volume.	
CO2	Understand the applications of vector calculus to refer to solenoidal and irrotational vectors and also curvilinear coordinates.	
CO3	Demonstrate the idea of Linear dependence and independence of sets in the vector space and linear transformation.	
CO4	Apply the knowledge of numerical methods in analyzing the discrete data and solving the physical and engineering problems	
CO5	Get familiarize with modern mathematical tools namely MATICA/MATLAB/PYTHON/SCILAB.	

3. CO-PO MAPPING MATRIX

Semester: II										Year of Study: 2023 - 24		
CO	PO1	PO2	PO3	PO4	PO5	PO6	PO7	PO8	PO9	PO10	PO11	PO12
CO1	2	3										
CO2	2	3										
CO3	2	3										
CO4	2	3										
CO5	3	1			3							2

4. CO-PO MAPPING JUSTIFICATION

Justification	
CO-1	Moderately related to PO1, strongly related to PO2 : Students are able to solve problems related change of order of integration and change of variables to evaluate multiple integrals and their application in finding the area and volume.
CO-2	Moderately related to PO1, strongly related to PO2 : Students apply the knowledge to find solenoidal and irrotational vectors. Also they learn Cartesian, Cylindrical and Spherical systems as curvilinear coordinate system.
CO-3	Moderately related to PO1, strongly related to PO2: Students will get the idea of Linear dependence and independence of sets in the vector space and also linear transformation.
CO-4	Moderately related to PO1, strongly related to PO2: Students will learn numerical methods in analyzing the discrete data and solving the physical and engineering problems.
CO-5	Strongly related to PO1, PO5 & moderately related to PO12 : Students will become familiarize with modern mathematical tool namely Python and apply the mathematical knowledge to understand computer algorithms



SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY
BENGALURU - 562157
DEPARTMENT OF MATHEMATICS

BATCH: 2023-24

SCHEME: 2022

SEM: II

BRANCH: ECE/EEE/ETE

1. POs CORRELATION

Sl. No	VTU Course Code	Course Name	POs Correlation
1	BMATE201	MATHEMATICS-II	PO1, PO2

2. COURSE OUTCOMES (COs)

Semester: II		Year of Study: 2023-24
CO1	Understand the applications of vector calculus refer to solenoidal, irrotational vectors, line integral and surface integral.	
CO2	Demonstrate the idea of Linear dependence and independence of sets in the vector space, and linear transformation	
CO3	To understand the concept of Laplace transform and to solve initial value problems.	
CO4	Apply the knowledge of numerical methods in analysing the discrete data and solving the physical and engineering problems.	
CO5	Familiarize with modern mathematical tools namely MATHEMATICA/MATLAB/ PYTHON/ SCILAB	

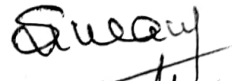

3. GAP ANALYSIS


Sl. No	Module NO	CO's	GAP Identified	Action Taken
1	1	CO1	NIL	NIL
2	2	CO2	Groups, rings, Integral domain	1.Traditional board and chalk method. 2. Interactive teaching modes
3	3	CO3	NIL	NIL
4	4	CO4	NIL	NIL
5	5	CO4	NIL	NIL

4. ACTION TAKEN DISCRIPTION

Sl. No	Action Taken	Description
1	Traditional board and chalk method	Typically for courses which are analytical, have Mathematical derivations, and conceptual developments. Problem Analysis and solution, by giving analogy simplification of concept, stepwise problem solving, highlighting the important terms.
2	Interactive teaching modes	Such as group discussions, quiz, rigorous assignments are used to improve problem solving capability, critical Thinking, control design and analysing ability.

Subject Expert:

1. 
2. 


Professor and Head
Dept. **Signature of HOD**
Sir M. Visvesvaraya Institute of Technology
Bengaluru-562157

SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY, BENGALURU-562157
DEPARTMENT OF MATHEMATICS
ASSIGNMENT - I

SEMESTER: II

BRANCH: COMMON TO ALL BRANCHES

SUBJECT: MATHEMATICS II (BMAT S/C/E/M 201)

DATE OF ANNOUNCEMENT: 17/05/2024

DATE OF SUBMISSION: 30/05/2024

SL. NO	QUESTIONS	CO	RBT														
1.	Use (a)Newton – Raphson Method (b)Regula- Falsi Method to find the real root of the equation $x^3 + x^2 + 3x + 4 = 0$	CO4	L1 & L2														
2.	From the following table find the no of students who have obtained marks between (a) 40 and 45 (b) 70 and 75. <table><tr><td>Marks</td><td>30-40</td><td>40-50</td><td>50-60</td><td>60-70</td><td>70-80</td></tr><tr><td>No of Students</td><td>31</td><td>42</td><td>51</td><td>35</td><td>31</td></tr></table>	Marks	30-40	40-50	50-60	60-70	70-80	No of Students	31	42	51	35	31	CO4	L1 & L2		
Marks	30-40	40-50	50-60	60-70	70-80												
No of Students	31	42	51	35	31												
3.	Construct the interpolating polynomial for the data given below using Newton's divided difference formula <table><tr><td>x</td><td>2</td><td>4</td><td>5</td><td>6</td><td>8</td><td>10</td></tr><tr><td>f(x)</td><td>10</td><td>96</td><td>196</td><td>350</td><td>868</td><td>1746</td></tr></table>	x	2	4	5	6	8	10	f(x)	10	96	196	350	868	1746	CO4	L1 & L2
x	2	4	5	6	8	10											
f(x)	10	96	196	350	868	1746											
4.	Use Lagrange's interpolation formula to fit a polynomial for the given data and hence estimate y at x=2, x=5. <table><tr><td>x</td><td>0</td><td>1</td><td>3</td><td>4</td></tr><tr><td>f(x)</td><td>-12</td><td>0</td><td>6</td><td>12</td></tr></table>	x	0	1	3	4	f(x)	-12	0	6	12	CO4	L1 & L2				
x	0	1	3	4													
f(x)	-12	0	6	12													
5.	Evaluate $\int_0^1 \frac{x}{1+x^2} dx$ by (a) Trapezoidal Rule, (b) Simpson's 1/3 rd Rule (c) Simpson's 3/8 th rule by taking 7 ordinates and hence find log _e 2.	CO4	L1 & L2														
6.	Apply Taylor's series method to find y(0.2) correct to 4 decimal places, given $\frac{dy}{dx} = -xy^2$, y(0) = 2.	CO5	L1 & L2														
7.	Use Modified Euler's Method to find y in range (0,0.4) by taking h=0.4, given $\frac{dy}{dx} + x^2 = y$, y(0) = 1.	CO5	L1 & L2														
8.	Solve $(y^2 - x^2)dx = (y^2 + x^2)dy$ for y at x=0.2, given that y=1 at x=0 initially, by applying RK-Method.	CO5	L1 & L2														
9.	Given $\frac{dy}{dx} + \frac{y}{x} = \frac{1}{x^2}$ and the data <table><tr><td>x</td><td>1</td><td>1.1</td><td>1.2</td><td>1.3</td></tr><tr><td>y</td><td>1</td><td>0.996</td><td>0.986</td><td>0.972</td></tr></table> compute y(1.4) correct to 4 decimal places by applying Milne's Method.	x	1	1.1	1.2	1.3	y	1	0.996	0.986	0.972	CO5	L1 & L2				
x	1	1.1	1.2	1.3													
y	1	0.996	0.986	0.972													

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SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY

Department of Mathematics

Assignment -II

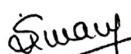
Subject: MATHEMATICS-II FOR Electrical & Electronics ENGINEERING STREAM

Subject Code BMATE201

Date of Announcement:12/6/2024

Date of submission:21/6/2024

SL NO	Questions	CO's	PO'S	RB T
1	State the rank-Nullity theorem and verify the theorem for the linear transformation $T: R^3 \rightarrow R^3$ defined by $T(x, y, z) = (x + 2y - z, y + z, x + y - 2z)$	CO2	1 & 2	L1, L2
2	Define linearly independent set of vectors and linearly dependent set of vectors. Are the vectors $V_1 = (2, 5, 3)$, $V_2 = (1, 1, 1)$, and $V_3 = (4, -2, 0)$ linearly independent? Justify your answer	CO2	1 & 2	L1, L2
3	Find the dimension and basis of the subspace spanned by the vectors $(2, 4, 2)$, $(1, -1, 0)$, $(1, 2, 1)$, and $(0, 3, 1)$ in $V_3(R)$	CO2	1 & 2	L1, L2
4	Find the Laplace transform of (i) $e^{-3t} (2\cos 5t - 3\sin 5t)$ (ii) $\frac{\cos at - \cos bt}{t}$	CO3	1 & 2	L1, L2
5	Find the Laplace transform of the triangular wave function $f(t) = \begin{cases} t & 0 < t \leq a \\ 2a - t & a < t \leq 2a \end{cases}$	CO3	1 & 2	L1, L2
6	Using the convolution theorem, find the inverse Laplace transform of $\frac{s}{(s^2 + a^2)^2}$	CO3	1 & 2	L1, L2
7	Solve by Laplace transform method: $y'' + 4y' + 3y = e^{-t}$, given $y(0) = y'(0) = 1$	CO3	1 & 2	L1, L2
8	Verify Stoke's theorem for $\vec{F} = (x^2 + y^2)\hat{i} - 2xy\hat{j}$ taken round the rectangle bounded by the lines $x = \pm a$, $y = 0$ and $y = b$.	CO1	1 & 2	L1, L2
9	Define a solenoidal vector. Find the value of a for which $\vec{F} = (x + 3y)\hat{i} + (y - 2z)\hat{j} + (x + az)\hat{k}$ is solenoidal	CO1	1 & 2	L1, L2
10	If $\vec{F} = \nabla(xy^3z^2)$ find $\text{div}\vec{F}$ and $\text{curl}\vec{F}$ at the point $(1, -1, 1)$	CO1	1 & 2	L1, L2


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Sir M. Visvesvaraya Institute of Technology
Bangalore 562 157
INTERNAL TEST PAPER

TEST NO : 1 SEM : 2 COURSE / BRANCH : BE / ALL BRANCHES MAX. MARKS : 25 DURATION : 60 Mins
 SUBJECT : Mathematics II Faculty Name : UMA S

Instructions: Answer any one Question from each PART

BL – Bloom's Taxonomy Levels (1- Remembering, 2- Understanding, 3 – Applying, 4 – Analyzing, 5 – Evaluating, 6 - Creating)
 CO – Course Outcomes PO – Program Outcomes; PI – Performance Indicator

Q. No	Question	Marks	CO	BL	PO	PI
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PART A

1	a) Find a real root of equation $xe^x - 2 = 0$ in the interval (0,1) correct to three decimal places by Newton Raphson method					6	CO4	L1&L2	P1&P2	2.1.3						
	b) From the following table find the number of students who have obtained a) less than 45 marks b) between 40 & 45 marks					6	CO4	L1&L2	P1&P2	1.1.1						
	<table><tr><td>Marks</td><td>30-40</td><td>40-50</td><td>50-60</td><td>60-70</td><td>70-80</td></tr><tr><td>No. of students</td><td>31</td><td>42</td><td>51</td><td>35</td><td>31</td></tr></table>										Marks	30-40	40-50	50-60	60-70	70-80
Marks	30-40	40-50	50-60	60-70	70-80											
No. of students	31	42	51	35	31											

OR

2	a) Use Newton's Divided difference formula to fit an interpolating polynomial for the following table	6	CO4	L1&L2	P1&P2	2.1.3					
	<table><tr><td>x</td><td>0</td><td>1</td><td>2</td><td>5</td></tr><tr><td>y</td><td>2</td><td>3</td><td>12</td><td>147</td></tr></table>						x	0	1	2	5
	x	0	1	2	5						
y	2	3	12	147							
b) Evaluate $\int_0^1 \frac{dx}{1+x}$ taking seven ordinates by applying Simpson's $\frac{3}{8}$ th rule . Hence deduce the value of $\log_e 2$	6	CO4	L1&L2	P1&P2	1.1.1						

PART B

3	a) Use Taylor's series method to find y at x=0.1,0.2,0.3 considering terms upto the third degree given that $\frac{dy}{dx} = x^2 + y^2$ and y(0)=1	6	CO5	L1&L2	P1&P2	1.1.1
	b) Use Modified Euler's method to compute y(0.1) correct to 3 decimal places, given that $\frac{dy}{dx} = x^2 + y$, y(0)=1	7	CO5	L1&L2	P1&P2	1.1.1

OR

4	a) Given $\frac{dy}{dx} = 3x + \frac{y}{2}$; y(0)=1 compute y(0.2) by taking h=0.2 using Runge-kutta method of fourth order.	6	CO5	L1&L2	P1&P2	1.1.1
	b) Apply Milne's method to compute y(1.4) correct to four decimal places given that $\frac{dy}{dx} = x^2 + \frac{y}{2}$ & the data y(1)=2, y(1.1)=2.2156, y(1.2)=2.4649, y(1.3)=2.7514	7	CO5	L1&L2	P1&P2	1.1.1

CO4; Apply the knowledge of numerical methods in solving physical and engineering phenomena.

CO5 :Get familiarize with modern mathematical tools namely Mathematica/MatLab/Python/Scilab

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Scheme and Solution

Subject Title : Mathematics II

Subject code: BMATE/s/c
20

Subject Title: Probability & Statistics		Marks Allocated																																				
Question No.	Solution																																					
1. (a)	$f(0) = -2 < 0$ $f(1) = 0.7183 > 0$, $x_0 = 1$ — (1) M $x_1 = x_0 - \frac{f(x_0)}{f'(x_0)} = 0.8679$ $x_2 = 0.8528$, $x_3 = 0.8526$, $x_4 = 0.8526$ → (5) M	6 marks																																				
(b)	<p>Table</p> <table><tr><th>x</th><th>$f(x)$</th><th>Δy</th><th>$\Delta^2 y$</th><th>$\Delta^3 y$</th><th>$\Delta^4 y$</th></tr><tr><td>40</td><td>31</td><td>42</td><td>9</td><td>-25</td><td>37</td></tr><tr><td>50</td><td>73</td><td>51</td><td>-16</td><td>12</td><td></td></tr><tr><td>60</td><td>124</td><td>35</td><td>-4</td><td></td><td></td></tr><tr><td>70</td><td>159</td><td>31</td><td></td><td></td><td></td></tr><tr><td>80</td><td>190</td><td></td><td></td><td></td><td></td></tr></table> <p>NFIF is given by</p> $y_x = y_0 + x \Delta y_0 + \frac{x(x-1)}{12} \Delta^2 y_0 + \frac{x(x-1)(x-2)}{12} \Delta^3 y_0 + \frac{x(x-1)(x-2)(x-3)}{24} \Delta^4 y_0$ <p>$x = 0.5$ (4)</p> $= 48$	x	$f(x)$	Δy	$\Delta^2 y$	$\Delta^3 y$	$\Delta^4 y$	40	31	42	9	-25	37	50	73	51	-16	12		60	124	35	-4			70	159	31				80	190					6 marks
x	$f(x)$	Δy	$\Delta^2 y$	$\Delta^3 y$	$\Delta^4 y$																																	
40	31	42	9	-25	37																																	
50	73	51	-16	12																																		
60	124	35	-4																																			
70	159	31																																				
80	190																																					
(b)	Between 40 & 45 marks, $f(45) - f(40) =$ $= 48 - 31 = 17$. (6)																																					



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Bengaluru 562 157

Scheme and Solution

Subject Title :

Subject code:

Question No.	Solution	Marks Allocated																																									
2. a	<p><u>Table</u></p> <table border="1"> <thead> <tr> <th>x</th> <th>f(x)</th> <th>f.D.D</th> <th>S.D.D</th> <th>T.D.D</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>2</td> <td>1</td> <td>4</td> <td>1</td> </tr> <tr> <td>1</td> <td>3</td> <td>9</td> <td>9</td> <td></td> </tr> <tr> <td>2</td> <td>12</td> <td>15</td> <td></td> <td></td> </tr> <tr> <td>5</td> <td>147</td> <td></td> <td></td> <td></td> </tr> </tbody> </table> <p style="text-align: right;">(4)</p> $f(x) = f(x_0) + (x-x_0)f'(x_0) + \frac{(x-x_0)^2}{2!}f''(x_0) + \frac{(x-x_0)^3}{3!}f'''(x_0)$ $= x^3 + x^2 - x + 2$ <p style="text-align: right;">(2)</p> <p>(b) Simpson's 3/8th rule is</p> $\int y dx = \frac{3h}{8} [(y_0 + y_6) + 3(y_1 + y_2 + y_4 + y_5) + 2y_3]$ <table border="1"> <thead> <tr> <th>x</th> <td>0</td> <td>1/6</td> <td>2/6</td> <td>3/6</td> <td>4/6</td> <td>5/6</td> <td>6/6</td> </tr> </thead> <tbody> <tr> <th>y</th> <td>1</td> <td>6/7</td> <td>3/4</td> <td>2/3</td> <td>3/5</td> <td>6/11</td> <td>1/2</td> </tr> </tbody> </table> <p style="text-align: right;">(3)</p> <p>Sub $\int_0^1 \frac{1}{1+x} dx = 0.6932 \rightarrow$ (2) & $\log_e 2 = 0.6932 \rightarrow$ (1)</p>	x	f(x)	f.D.D	S.D.D	T.D.D	0	2	1	4	1	1	3	9	9		2	12	15			5	147				x	0	1/6	2/6	3/6	4/6	5/6	6/6	y	1	6/7	3/4	2/3	3/5	6/11	1/2	6 marks
x	f(x)	f.D.D	S.D.D	T.D.D																																							
0	2	1	4	1																																							
1	3	9	9																																								
2	12	15																																									
5	147																																										
x	0	1/6	2/6	3/6	4/6	5/6	6/6																																				
y	1	6/7	3/4	2/3	3/5	6/11	1/2																																				
3. a	<p>Taylor's series is</p> $y(x) = y(x_0) + (x-x_0)y'(x_0) + \frac{(x-x_0)^2}{2!}y''(x_0) + \frac{(x-x_0)^3}{3!}y'''(x_0)$ <p>$y'(0) = 1, y''(0) = 2, y'''(0) = 8 \rightarrow$ (3)</p>	6 marks																																									

Scheme and Solution

Subject code:

Subject Title :

Question	Solution	Marks Allocated																		
(b)	<p>Sub $y = 1 + x + x^2 + 4x^3/3$ — (1)</p> <p>$y(0.1) = 1.1113$, $y(0.2) = 1.2507$, $y(0.3) = 1.426$ — (1)</p> <p>Euler's formula is $y_1^{(0)} = y_0 + hf(x_0, y_0)$ — (2)</p> <p>modified Euler formula is</p> $y_1 = y_0 + h/2 [f(x_0, y_0) + f(x_1, y_1)]$ — (3) <p>$y_1^{(1)} = 1.1055$, $y_1^{(2)} = 1.1057$, $\therefore y_1 = 1.105$ at $x_1 = 0.1$</p> <p>$K_1 = 0.1$, $K_2 = 0.165$, $K_3 = 0.16825$</p> <p>$K_4 = 0.236825$, $K = 0.1672208$ — (4)</p> <p>$y_1 = 1.1672208$ at $x_1 = 0.2$</p> <p>→ (2) marks</p>	6 marks																		
(a)	<p>$K_1 = 0.1$, $K_2 = 0.165$, $K_3 = 0.16825$</p> <p>$K_4 = 0.236825$, $K = 0.1672208$ — (4)</p> <p>$y_1 = 1.1672208$ at $x_1 = 0.2$</p> <p>→ (2) marks</p>	6 marks																		
(b)	<p>Table</p> <table border="1"> <thead> <tr> <th>x</th><th>y</th><th>$y' = x^2 + y/2$</th></tr> </thead> <tbody> <tr> <td>1</td><td>2</td><td>2</td></tr> <tr> <td>1.1</td><td>2.2156</td><td>2.3178</td></tr> <tr> <td>1.2</td><td>2.4649</td><td>2.67245</td></tr> <tr> <td>1.3</td><td>2.7514</td><td>3.0657</td></tr> <tr> <td>1.4</td><td>y_4</td><td></td></tr> </tbody> </table> <p>→ (1)</p> <p>$y_4^{(P)} = y_0 + \frac{4h}{3} [2y_1' - y_2' + 2y_3']$</p> <p>$= 3.0793$ — (3)</p> <p>By corrector formula</p> $y_4^{(C)} = y_2 + \frac{h}{3} (y_2' + 4y_3' + y_4')$ <p>$= 3.0794$</p> <p>$y_4^{(2)} = 3.0794$</p> <p>→ (4)</p>	x	y	$y' = x^2 + y/2$	1	2	2	1.1	2.2156	2.3178	1.2	2.4649	2.67245	1.3	2.7514	3.0657	1.4	y_4		7 marks
x	y	$y' = x^2 + y/2$																		
1	2	2																		
1.1	2.2156	2.3178																		
1.2	2.4649	2.67245																		
1.3	2.7514	3.0657																		
1.4	y_4																			



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Sir M. Visvesvaraya Institute of Technology
Bangalore 562 157
INTERNAL TEST PAPER

TEST NO : 2 SEM : 2 COURSE / BRANCH : BE / CS/IS/ME/CV/BT MAX. MARKS : 25 DURATION : 60 Mins
 SUBJECT : Mathematics II Faculty Name : UMA S

Instructions: Answer any one Question from each PART

BL – Bloom's Taxonomy Levels (1- Remembering, 2- Understanding, 3 – Applying, 4 – Analyzing, 5 – Evaluating, 6 - Creating)
 CO – Course Outcomes PO – Program Outcomes; PI – Performance Indicator

Q. No	Questions	Marks	CO	BL	PO	PI
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PART A

1	a) Evaluate $\iint (x^2 + y^2) dx dy$ over the region in the positive quadrant for which $x + y \leq 1$.	6	CO1	L1&L2	P1&P2	2.1.3
	b) Evaluate $\int_0^{4a} \int_{x^2/4a}^{2\sqrt{ax}} dy dx$ by changing the order of integration.	6	CO1	L1&L2	P1&P2	1.1.1

OR

2	a) Find by double integration the area enclosed by the curve $r = a(1 + \cos \theta)$ between $\theta = 0$ and $\theta = \pi$.	6	CO1	L1&L2	P1&P2	2.1.3
	b) Prove that $\beta(m, n) = \frac{\tau(m)\tau(n)}{\tau(m+n)}$	6	CO1	L1&L2	P1&P2	1.1.1

PART B

3	a) Find directional derivative of $\frac{zx}{x^2+y^2}$ at (1,-1,1) in the direction of vector $i-2j+k$	6	CO2	L1&L2	P1&P2	1.1.1
	b) Find $\text{div } \vec{F}$ and $\text{curl } \vec{F}$ where $\vec{F} = \nabla(x^3 + y^3 + z^3 - 3xyz)$	7	CO2	L1&L2	P1&P2	1.1.1

OR

4	a) Find constants a,b,c such that vector field $(\sin y + az) i + (bx \cos y + z) j + (x + cy) k$ is irrotational also find $\vec{F} = \nabla \phi$	6	CO2	L1&L2	P1&P2	1.1.1
	b) $\vec{F} = x^2y i + yz^2 j + zx^2 k$ find $\text{curl}(\text{curl}(\vec{F}))$	7	CO2	L1&L2	P1&P2	1.1.1

CO1: Apply the knowledge of multiple integrals to compute area and volume.

CO2: Understand the applications of vector calculus refer to solenoidal, irrotational vectors, line integral and surface integral.

CO3: Demonstrate the idea of Linear dependence and independence of sets in the vector space and linear transformation

CO4: Apply the knowledge of numerical methods in solving physical and engineering phenomena.

CO5: Get familiarize with modern mathematical tools namely Mathematica/MatLab/Python/Scilab

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HOD

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Scheme and Solution

Subject Title : Mathematics - II for EEE Students Subject code: BMATE201

Question No.	Solution	Marks Allocated
	<u>Part - A</u>	
① (a)	$\left. \begin{aligned} \text{D.D of } \phi \\ \text{along } \vec{a} \end{aligned} \right\} = \nabla \phi \cdot \hat{a} \quad \left \quad \hat{a} = \frac{\vec{a}}{ \vec{a} } \right.$ <p>Given, $\phi = x^2yz + 4xz^2$</p> $\nabla \phi = \frac{\partial \phi}{\partial x} \hat{i} + \frac{\partial \phi}{\partial y} \hat{j} + \frac{\partial \phi}{\partial z} \hat{k}$ $= (2xyz + 4z^2) \hat{i} + (x^2z) \hat{j} + (x^2y + 8xz) \hat{k}$ $(\nabla \phi)_{(1, -2, -1)} = 8\hat{i} - \hat{j} - 10\hat{k}$ $\hat{a} = \frac{\vec{a}}{ \vec{a} } = \frac{2\hat{i} - \hat{j} - 2\hat{k}}{3} \quad \therefore \nabla \phi \cdot \hat{a} = \frac{37}{3}$	(1m) (2m) (2m) (1m)
① (b)	$\nabla \times \vec{F} = \begin{vmatrix} \hat{i} & \hat{j} & \hat{k} \\ \frac{\partial}{\partial x} & \frac{\partial}{\partial y} & \frac{\partial}{\partial z} \\ (axy - z^3) & (a-2)x^2 & (1-a)xz^2 \end{vmatrix} = \vec{0} \Rightarrow a = 4$	(2m)



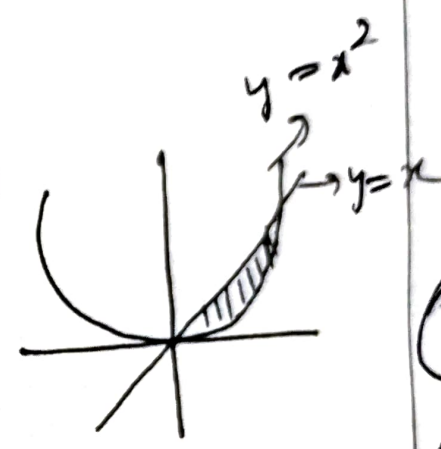
Scheme and Solution

Subject Title : Mathematics - II for EEE Stream Subject code: BMATE201

Question No.	Solution	Marks Allocated
① ⑥	<p>Given, $\nabla\phi = \vec{F}$</p> $\frac{\partial\phi}{\partial x}\hat{i} + \frac{\partial\phi}{\partial y}\hat{j} + \frac{\partial\phi}{\partial z}\hat{k} = (4xy - z^3)\hat{i} + 2x^2\hat{j} - 3xz^2\hat{k}$ <p>\Rightarrow</p> $\frac{\partial\phi}{\partial x} = 4xy - z^3 \quad \left \quad \frac{\partial\phi}{\partial y} = 2x^2 \quad \right \quad \frac{\partial\phi}{\partial z} = -3xz^2$ $\phi = 2x^2y - xz^3 + f_1(y, z) \quad \left \quad \phi = 2x^2y + f_2(x, z) \quad \right \quad \phi = -xz^3 + f_3(x, y)$ <p>$f_1(y, z) = 0; f_2(x, z) = -xz^3; f_3(x, y) = 2x^2y$</p> <div style="border: 1px solid black; padding: 5px; display: inline-block;">$\phi = 2x^2y - xz^3$</div>	4m
② ②	$\nabla \cdot \vec{A} = \frac{\partial a_1}{\partial x} + \frac{\partial a_2}{\partial y} + \frac{\partial a_3}{\partial z}$	1m

Scheme and Solution

Subject Title: Mathematics - II for EEE Stream Subject code: BM ATE201

Question No.	Solution	Marks Allocated
Q (a)	$\nabla \cdot \vec{A} = z^3 - 2x^2z + 8yz^3; (\nabla \cdot \vec{A})_{(1,-1,1)} = -9$ $\nabla \times \vec{A} = 2(z^4 + x^2y)\hat{i} + 3xz^2\hat{j} - 4xy^3\hat{k}$ $(\nabla \times \vec{A})_{(1,-1,1)} = 3\hat{j} + 4\hat{k}$ $\nabla \cdot (\nabla \times \vec{A}) = 0$	<div>1m</div> <div>2m</div> <div>3m</div>
Q (b)	<div> $M = xy + y^2 \text{ \& } N = x^2$ $\frac{\partial M}{\partial y} = x + 2y \text{ \& } \frac{\partial N}{\partial x} = 2x$ <p>(0,0) & (1,1) pts of interest</p> $I = \int_{x=0}^1 \int_{y=x}^{y=x^2} (2x - x - 2y) dx dy = -\frac{1}{20}$ $\oint_C M dx + N dy = \iint_R \left(\frac{\partial N}{\partial x} - \frac{\partial M}{\partial y} \right) dx dy$ </div> <div>  </div>	<div>1m</div> <div>2m</div> <div>3m</div>

Scheme and Solution

Subject Title : Mathematics-II for EEE Stream Subject code: BMATE301

Question No.	Solution	Marks Allocated
(3) (a)	$(i) \mathcal{L} \left\{ \frac{\cos 6t - \cos 4t}{t} \right\} = \int_0^\infty \left[\frac{s}{s^2+36} - \frac{s}{s^2+16} \right] ds$ $= \frac{1}{2} \int_0^\infty \left[\frac{2s}{s^2+36} - \frac{2s}{s^2+16} \right] ds$ $= \frac{1}{2} \left[\log(s^2+36) - \log(s^2+16) \right]_{s=0}^\infty$ $= \frac{1}{2} \left[\log \left(\frac{s^2+36}{s^2+16} \right) \right]_{s=0}^\infty$ $= \frac{1}{2} \lim_{s \rightarrow \infty} \log \left(\frac{s^2+36}{s^2+16} \right) - \log \left(\frac{s^2+36}{s^2+16} \right)$ $= -\frac{1}{2} \log \left(\frac{s^2+36}{s^2+16} \right) = \log \sqrt{\frac{s^2+16}{s^2+36}}$	<p>(1m)</p> <p>(1m)</p> <p>(1m)</p> <p>(3m)</p>

Scheme and Solution

Subject Title: Mathematics - II for EEE Stream Subject code: B MATE20

Question No.	Solution	Marks Allocated
③ (a)	$(i) \int_0^{\infty} e^{-st} [t \sin 4t] dt = \mathcal{L}\{t \sin 4t\}$ $\mathcal{L}\{t \sin 4t\} = (-1) \frac{d}{ds} \mathcal{L}\{\sin 4t\}$ $= (-1) \frac{d}{ds} \left[\frac{4}{s^2 + 16} \right] = \left[\frac{8s}{(s^2 + 16)^2} \right]$ $\therefore (i) \Rightarrow$ $\int_0^{\infty} e^{-2t} [t \sin 4t] dt = \frac{16}{400} = \frac{1}{25}$	<p align="center">(1M)</p> <p align="center">(4M)</p> <p align="center">(1M)</p>
③ (b)	$\mathcal{L}\{f(t)\} = \frac{1}{1 - e^{-Ta}} \int_0^a e^{-st} f(t) dt$ <p>here, $T=a$</p>	<p align="center">(1M)</p>

$$\mathcal{L}\{f(t)\} = \frac{1}{1-e^{-as}} \left\{ \int_0^{a/2} e^{-st} E dt + \int_{a/2}^a e^{-st} (-E) dt \right\}$$

$$= \frac{E}{1-e^{-as}} \left\{ \left[\frac{e^{-st}}{-s} \right]_0^{a/2} + \left[\frac{e^{-st}}{s} \right]_{a/2}^a \right\} \quad (5m)$$

$$= \frac{E(1-2e^{-as/2}+e^{-as})}{(1-e^{-as})s} = \frac{E(1-e^{-as/2})}{s(1+e^{-as/2})}$$

$$= \frac{E}{s} \left(\frac{e^{as/4} - e^{-as/4}}{e^{as/4} + e^{-as/4}} \right) = \frac{E}{s} \tanh\left(\frac{as}{4}\right)$$

$$(4) (a) (i) \mathcal{L}^{-1} \left\{ \frac{s+5}{s^2-6s+13} \right\} = \mathcal{L}^{-1} \left\{ \frac{s+5}{(s-3)^2+4} \right\} \quad (1m)$$

$$= \mathcal{L}^{-1} \left\{ \frac{(s-3)+8}{(s-3)^2+2^2} \right\} = \mathcal{L}^{-1} \left\{ \frac{(s-3)}{(s-3)^2+2^2} \right\} + \mathcal{L}^{-1} \left\{ \frac{8}{(s-3)^2+2^2} \right\}$$

$$= e^{3t} \mathcal{L}^{-1} \left\{ \frac{s}{s^2+2^2} \right\} + 8e^{3t} \mathcal{L}^{-1} \left\{ \frac{s}{s^2+2^2} \right\} \quad (5m)$$

$$= e^{3t} \{ \cos 2t + 4 \sin 2t \}$$

$$\begin{aligned}
 (4)(a)(i) \quad \mathcal{L}^{-1} \left\{ \frac{(s+2)^3}{s^6} \right\} &= \mathcal{L}^{-1} \left\{ \frac{s^3 + 6s^2 + 12s + 8}{s^6} \right\} \quad (1M) \\
 &= \mathcal{L}^{-1} \left\{ \frac{1}{s^3} \right\} + 6 \mathcal{L}^{-1} \left\{ \frac{1}{s^4} \right\} + 12 \mathcal{L}^{-1} \left\{ \frac{1}{s^5} \right\} + 8 \mathcal{L}^{-1} \left\{ \frac{1}{s^6} \right\} \\
 &= \frac{t^2}{2!} + 6 \left(\frac{t^3}{3!} \right) + 12 \left(\frac{t^4}{4!} \right) + 8 \left(\frac{t^5}{5!} \right) \quad (5M) \\
 &= \frac{t^2}{2} + t^3 + \frac{t^4}{2} + \frac{t^5}{15}
 \end{aligned}$$

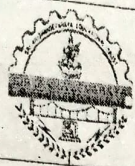
$$\begin{aligned}
 (4)(b) \quad \mathcal{L} \{ y''(t) + 6y'(t) + 9y(t) \} &= 12 \mathcal{L} \{ t^2 e^{-3t} \} \\
 [s^2 \mathcal{L} \{ y(t) \} - s y(0) - y'(0)] + 6[s \mathcal{L} \{ y(t) \} - y(0)] &+ 9 \mathcal{L} \{ y(t) \} = 12 \cdot \frac{2!}{(s+3)^2} \quad (1M)
 \end{aligned}$$

$$(s^2 + 6s + 9) \mathcal{L} \{ y(t) \} = \frac{24}{(s+3)^2} \quad (3M)$$

$$\Rightarrow \mathcal{L} \{ y(t) \} = \frac{24}{(s+3)^5} \quad (2) \quad y(t) = \mathcal{L}^{-1} \left\{ \frac{24}{(s+3)^5} \right\}$$

$$\Rightarrow y(t) = 24 e^{-3t} \mathcal{L}^{-1} \left\{ \frac{1}{s^5} \right\} = 24 \cdot e^{-3t} \frac{t^4}{4!} \quad (2M)$$

$$\Rightarrow \boxed{y(t) = e^{-3t} t^4}$$



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BANGALORE -562157

FAST LEARNERS

Department: Mathematics

Date:

Subject: Mathematics -II for EE Stream

Subject Code: BMATE201

Semester: II

SL.N O	USN	NAME OF THE STUDENT	SIGNATURE
1	1MV23EE005	Ambika Shetagar	Ambika
2	012	Bairreddy Kalyani	Bairreddy Kalyani
3	013	Bharat M Harasi	Bharat M Harasi
4	023	Gayatri	Gayatri
5	029	Lakshmi H Gowda	Lakshmi H Gowda
6	032	Maanya S	Maanya S
7	036	Mustafa Bohra	Mustafa Bohra
8	038	Nandini Apaar	Nandini
9	039	Nandini Arkachari	Nandini Arkachari

Topics covered:

- ① Solved Model Q.P & previous years Q.P problems
- ② Demonstrated real world applications of vector calculus, & numerical methods
- ③ Applied L.T to solve problems related to Electrical & Electronics Stream

Faculty In-charge: SHUBA.R.N

Designation: Assistant Professor

Signature: Shuba.R.N.



**SIR M. VISVESVARAYA INSTITUTE OF TECHNOLOGY
BANGALORE -562157**

Remedial classes for slow learners

Department: Mathematics

Date:

Subject : Mathematics-II for EEE Stream

Subject Code: BMATE201

Semester: II

SL.N O	USN	NAME OF THE STUDENT	SIGNATURE
1	1MV23EE001	ACHAL CHOURASIYA	Achal
2	1MV23EE008	ARYA M	Arya M
3	1MV23EE009	ARYA PRASAD S	Arya Prasad
4	1MV23EE010	ARYAN ANILRAO DESALE	A Anil Rao
5	1MV23EE020	DILEEP L	Dileep
6	1MV23EE022	G K SPOORTHY	G K Spoorthy
7	1MV23EE024	GIRISH T P	Girish
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9	1MV23EE026	JEEVAN	Jeevan
10	1MV23EE030	LAVANYA R	Lavanya
11	1MV23EE033	MAHAMMAD ANEEF M	Mahammad
12	1MV23EE035	MAYANK KUMAR	Mayank
13	1MV23EE047	NITISH KUMAR	Nitish

Topics covered:

1. Numerical methods-I
2. Numerical methods-II
3. Vector Calculus
4. Vector Spaces

Faculty In-charge: SHUBA R. N

Designation: Assistant Professor

Signature: Shuba R. N



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Department of Mathematics
MATHEMATICS-II Question bank (BMATE201)

Mathematics-II

Question bank for Electrical Stream

(BMATE201)

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Module 1

VECTOR CALCULUS

1. Find the directional derivative of $\phi = x^2yz + 4xz^2$ at $(1, 2, -1)$ along $2i - j - 2k$.
2. Find divergence \vec{F} and curl \vec{F} if $\vec{F} = \text{grad}(x^3 + y^3 + z^3 - 3xyz)$
3. Find the angle between surfaces $x^2 + y^2 + z^2 = 9$ and $z = x^2 + y^2 - 3$ at point $(2, -1, 2)$
4. Show that the vector field $\vec{F} = \frac{x\hat{i} + y\hat{j}}{x^2 + y^2}$ is both solenoidal & irrotational.
5. Find the constants a and b such that $\vec{F} = (axy + z^3)\hat{i} + (3x^3 - z)\hat{j} + (bxz^2 - y)\hat{k}$ is irrotational. Also find a scalar potential $\vec{F} = \nabla\phi$.
6. If $\vec{F} = (x + y + 1)\hat{i} + \hat{j} - (x + y)\hat{k}$ show that $\vec{F} \cdot \text{curl}\vec{F} = 0$.
7. If $\vec{F} = (x + y + az)\hat{i} + (bx + 2y - z)\hat{j} + (x + cy + 2z)\hat{k}$ find a, b, c such that \vec{F} is irrotational. Hence find the scalar potential ϕ such that $\vec{F} = \nabla\phi$.
8. If $\vec{f} = x^2\hat{i} + y^2\hat{j} + z^2\hat{k}$ and $\vec{g} = yz\hat{i} + zx\hat{j} + xy\hat{k}$ then verify whether $\vec{f} \times \vec{g}$ is solenoidal or not.
9. Show that $\vec{F} = (6xy + z^3)\hat{i} + (3x^2 - z)\hat{j} + (3xz^2 - y)\hat{k}$ is irrotational, find ϕ such that $\vec{F} = \nabla\phi$.
10. If $\vec{V} = 3xy^2z^2\hat{i} + y^3z^2\hat{j} - 2y^2z^3\hat{k}$ and $\vec{F} = (x^2 - yz)\hat{i} + (y^2 - zx)\hat{j} + (z^2 - xy)\hat{k}$, then prove that \vec{V} is solenoidal and \vec{F} is irrotational.

VECTOR INTEGRATION

1. If $\vec{F} = (3x^2 + 6y)\hat{i} - 14yz\hat{j} + 20xz^2\hat{k}$, evaluate $\int_C \vec{F} \cdot d\vec{r}$ from $(0, 0, 0)$ to $(1, 1, 1)$ along the curve given by $x = t, y = t^2, z = t^3$
2. If $\vec{F} = xy\hat{i} + yz\hat{j} + zx\hat{k}$ evaluate $\int_C \vec{F} \cdot d\vec{r}$ where C is the curve represented by $x = t, y = t^2, z = t^3, -1 \leq t \leq 1$.
3. Find the total work done in moving a particle in the force field $\vec{F} = 3xy\hat{i} - 5z\hat{j} + 10x\hat{k}$ along the curve $x = t^2 + 1, y = 2t^2, z = t^3$ from $t = 1$ to $t = 2$



MODULE 2

VECTOR SPACES AND LINEAR TRANSFORMATIONS

1. Prove that the subset $W = \{(x, y, z) \mid x - 3y + 4z = 0\}$ of the vector space \mathbb{R}^3 is a subspace of \mathbb{R}^3 .
2. Determine whether the matrix $\begin{bmatrix} -1 & 7 \\ 8 & -1 \end{bmatrix}$ is a linear combination of $\begin{bmatrix} 1 & 0 \\ 2 & 1 \end{bmatrix}$, $\begin{bmatrix} 2 & -3 \\ 0 & 2 \end{bmatrix}$ and $\begin{bmatrix} 0 & 1 \\ 2 & 0 \end{bmatrix}$ in the vector space M of 2×2 matrices.
3. Find the matrix of the linear transformation $T: V_2(\mathbb{R}) \rightarrow V_3(\mathbb{R})$ such that $T(-1, 1) = (-1, 0, 2)$ and $T(2, 1) = (1, 2, 1)$.
4. Show that the set $S = \{(1, 2, 4), (1, 0, 0), (0, 1, 0), (0, 0, 1)\}$ is linearly dependent.
5. Let P_n be the vector space of real polynomial functions of degree $\leq n$. show that the transformation $T: P_2 \rightarrow P_1$ defined by $T(ax^2 + bx + c) = (a + b)x + c$ is linear.
6. Verify Rank- Nullity theorem for the linear transformation $T: V_3(\mathbb{R}) \rightarrow V_2(\mathbb{R})$ defined by $T(x, y, z) = (y - x, y - z)$.
7. Find the basis and dimension of the subspace spanned by the vectors $\{(2, 4, 2), (1, -1, 0), (1, 2, 1), (0, 3, 1)\}$ in $V_3(\mathbb{R})$.
8. Find the kernel and the range of the linear operator $T(x, y, z) = (x + y, z)$ of \mathbb{R}^3 to \mathbb{R}^2 .
9. Let $V = \mathbb{R}^3$ be a vector space and consider the subset W of V consisting of vectors of the form (a, a^2, b) , where the second component is the square of the first. Is W a subspace of V ?
10. Let $f(x) = 2x^2 - 5$ and $g(x) = x + 1$. Show that the function $h(x) = 4x^2 + 3x - 7$ lies in the subspace $\text{span}\{f, g\}$ of P_2 .
11. Prove that the transformation $T: V_2(\mathbb{R}) \rightarrow V_2(\mathbb{R})$ defined by $T(x, y) = (3x, x + y)$ is linear. Find the images of the vectors $(1, 3)$ and $(-1, 2)$ under this transformation.
12. Find the linear transformation $T: V_2(\mathbb{R}) \rightarrow V_2(\mathbb{R})$ such that $T(1, 2) = (3, 0)$ and $T(2, 1) = (1, 2)$.
13. Find the linear transformation $T: V_2(\mathbb{R}) \rightarrow V_3(\mathbb{R})$ such that $T(-1, 1) = (-1, 0, 2)$ and $T(2, 1) = (1, 2, 1)$.



MODULE -3

LAPLACE TRANSFORMS AND INVERSE LAPLACE TRANSFORMS

1. Find the Laplace Transform of Square wave function of period $2a$ defined by

$$f(t) = \begin{cases} K, & 0 < t < a \\ -K, & a < t < 2a \end{cases} \text{ S.T. } L\{f(t)\} = \frac{K}{s} \tanh\left(\frac{as}{2}\right)$$

2. Find the Laplace Transform of (i) $\left(\frac{4t+5}{e^{2t}}\right)^2$ (ii) $\left(\frac{\sin 2t}{\sqrt{t}}\right)^2$ (iii) $t \cos at$

3. Express $f(t) = \begin{cases} 1 & \text{if } 0 < t \leq 1 \\ t & \text{if } 1 < t \leq 2 \\ t^2 & \text{if } t > 2 \end{cases}$ in terms of Unit Step function and

hence find $L\{f(t)\}$

4. Find the Laplace Transform of $\frac{e^{-t} \sin t}{t}$ and hence deduce that $\int_0^{\infty} \frac{e^{-t} \sin t}{t} dt = \frac{\pi}{4}$

5. Express $f(t)$ in terms of Unit Step function and hence find the L.T given that

$$f(t) = \begin{cases} t^2, & 0 < t < 2 \\ 4t, & 2 < t < 4 \\ 8, & t > 4 \end{cases}$$

6. Find the Laplace Transform of i) $2^t + \frac{\cos 2t - \cos 3t}{t} + t \sin t$

7. Find $L^{-1}\left\{\log \frac{s+1}{s-1}\right\}$

8. Find $L^{-1}\left\{\tan^{-1}\left(\frac{2}{s^2}\right)\right\}$



9. Find $L^{-1} \left\{ \frac{1}{(s+1)^2(s+2)} \right\}$ using Convolution Theorem
10. Find $L^{-1} \left\{ \frac{s}{(s^2+1)(s^2+4)} \right\}$ using Convolution Theorem
11. Find $L^{-1} \left\{ \frac{5s+3}{(s-1)(s^2+2s+5)} \right\}$
12. Find $L^{-1} \left\{ \frac{2s^2-6s+5}{s^3-6s^2+11s-6} \right\}$
13. Solve $y'' + 4y' + 4y = e^t$ with $y(0)=0=y'(0)$ using Laplace Transform
14. Solve $y''' + 2y'' - y' - 2y = 0$ with $y(0)=0=y'(0)$, $y''(0) = 6$ using LT
15. Solve $y'' + 6y' + 9y = 12t^2 e^{-3t}$ with $y(0)=0=y'(0)$ using LT



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Module 4

Numerical Methods – I

Type 1 : Finding root by Regula falsi method (correct to 4 decimal places) – Practice 2 – 4 more problems

a. $xe^x = 2$ **b.** $x \log_{10} x = 1.2$ **c.** $xe^x = \cos x$

Type 2 : Finding root by Newton Raphson method (correct to 4 decimal places) – Practice 2 – 4 more problems

a. $\tan x - x = 0$ (near $x = 4.5$) **b.** $xe^x = 2$
c. $x \sin x + \cos x = 0$ **d.** $3x - 1 = \cos x$

Type 3 : Newton's forward and backward interpolation – Practice more problems

- a.** The population of a town given by the table

Year	1951	1961	1971	1981	1991
Population in thousands	19.96	39.65	58.81	77.21	94.61

Using Newton forward and backward interpolation formula, calculate the increase in population from the year 1955 to 1985

- b.** From the following table estimate the number of students who obtained marks between 40 and 45:

Marks	30-40	40-50	50-60	60-70	70-80
No. of students	31	42	51	35	31

- c.** Given $\sin 45^\circ = 0.7071$, $\sin 50^\circ = 0.7660$, $\sin 55^\circ = 0.8192$, $\sin 60^\circ = 0.8660$, find $\sin 57^\circ$ using an appropriate interpolation formula.



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- d. Using suitable interpolation formula find $y(82)$ and $y(98)$ for the following data:

x	80	85	90	95	100
y	5026	5674	6362	7088	7854

Type 4 : Newton's divided difference interpolation – Practice more problems

- a. Construct the interpolation polynomial for the data given below using Newton's divided difference formula:

x	2	4	5	6	8	10
y	10	96	196	350	868	1746

- b. Fit interpolating polynomial for $f(x)$ using Newton's divided difference formula, given

x	0	1	4	8	10
y	-5	-14	-125	-21	355

Hence evaluate $f(2)$

- c. Using Newton's divided difference formula, evaluate $f(8)$ and $f(15)$ given:

x	4	5	7	10	11	13
y	48	100	294	900	1210	2028

Type 5 : Lagrange's interpolation – Practice more problems

- a. Use Lagrange's interpolation formula to find the interpolating polynomial that approximate the function described by the following table. Hence find $f(4)$

x	0	1	2	5
y	2	3	12	147



Module 5
Numerical methods-2

1. Use Taylor's series method to find y at $x=0.1, 0.2$ considering terms up to third degree given $\frac{dy}{dx} = x^2 + y^2$ and $y(0) = 1$.
2. Use Taylor's series method to find y at $x=1.1, 1.2$ considering terms up to third degree given $\frac{dy}{dx} = x + y$ and $y(1) = 0$.
3. Find y at $x=0.1$ correct to 4 decimal places given $\frac{dy}{dx} = x - y^2$; $y(0) = 1$ applying Taylor's series method up to fourth degree terms.
4. Use Taylor's series method to find y at $x=0.1$ and 0.2 to five placed of decimals given $\frac{dy}{dx} = x^2y - 1$, $y(0) = 1$.
5. Employ Taylor's series method to obtain approximate value of y at $x = 0.2$ for the differential equation $\frac{dy}{dx} = 2y + 3e^x$; $y(0) = 0$ compare numerical solution obtained with exact solutions.
6. Use Euler's method solve $\frac{dy}{dx} = x^2 + y^2$ and $y(0) = 1$, for $x=0.1(0.2)1.0$
7. Given $\frac{dy}{dx} = \frac{y-x}{y+x}$, with $y(0) = 1$. Find y approximately for $x=0.1$ by Euler's method in five steps.
8. Using Euler's modified method, find $y(0.2)$ given $\frac{dy}{dx} = x - y^2$; $y(0) = 1$, taking $h=0.1$
9. Using modified Euler's method to compute $y(0.1)$, given $\frac{dy}{dx} = x^2 + y$, $y(0) = 1$ by taking $h=0.05$ considering accuracy unto two approximations in each step.
10. Using Euler's modified method, $\frac{dy}{dx} = \log(x + y)$, $y(0)=1$, find y for $x=0.2$ taking $h=0.1$
11. Using modified Euler's method to compute $y(0.2)$, given $\frac{dy}{dx} = x + y$, $y(0)=1$ by taking $h=0.1$
12. Solve $\frac{dy}{dx} = xy$; $y(1) = 2$, find approximate solution at $x_1 = 1.2$ using Runge-Kutta method.



SIR M VISVESVARAYA INSTITUTE OF TECHNOLOGY
Bengaluru 562 157
Department of Mathematics
MATHEMATICS-II Question bank (BMATE201)

13. Using Runge-Kutta method solve $\frac{dy}{dx} = 3x + \frac{y}{2}$ with $y(0) = 1$, compute $y(0.2)$ by taking $h=0.2$
14. Using Runge-Kutta method find $y(0.2)$ for the equation $\frac{dy}{dx} = \frac{y-x}{y+x}$ with $y(0) = 1$, by taking $h=0.2$
15. Solve $\frac{dy}{dx} = x + y^2$; $y(0) = 1$ for $x=0.2(0.2)0.4$ using Runge-Kutta method.
16. Apply Milne's method to find a solution of differential equation $y' = x - y^2$ in the range $0 \leq x \leq 1$ for the boundary condition $y=0$ at $x=0$.
17. Using Milne's method find $y(4.5)$ given $5xy' + y^2 - 2 = 0$ given $y(4) = 1$.
 $y(4.1)=1.0049$, $y(4.2)=1.0097$, $y(4.3)=1.0143$, $y(4.4)=1.0187$.
18. Given $y' = x(x^2 + y^2)e^{-x}$, $y(0) = 1$, find y at $x=0.1, 0.2$ and 0.3 by Taylor's series method and compute $y(0.4)$ by Milne's method.
19. Using Runge-Kutta method of order 4, find y for $x=0.1, 0.2$ and 0.3 given that $\frac{dy}{dx} = xy + y^2$, $y(0) = 1$ continue the solution at $x=0.4$ using Milne's method.
20. Given $\frac{dy}{dx} = x^3 + y$, $y(0)=2$, the values of $y(0.2)=2.073$, $y(0.4)=2.452$ and $y(0.6)=3.023$. find $y(0.8)$ by Milne's predictor-corrector method taking $h=0.2$.

SIR M. VISVESVARAYA INSTITUTE OF TECHNOLOGY, BENGALURU-562157
DEPARTMENT OF MATHEMATICS
COURSE END SURVEY

COURSE: B.E **SEMESTER: 2**
SUB NAME: Mathematics-II for EEE stream
NAME OF THE FACULTY: SHUBA R N

SECTION: I D **BRANCH: EEE**
SUBJECT CODE: : BMATE201

A.Y: 2023-24

Course Outcomes (Course skills sets)

- CO1:** Understand the applications of vector calculus refer to solenoidal, irrotational vectors, line integral and surface integral
CO2: Demonstrate the idea of Linear dependence and independence of sets in the vector space, and linear transformation
CO3: To understand the concept of Laplace transform and to solve initial value problems.
CO4: Apply the knowledge of numerical methods in solving physical and engineering phenomena
CO5: Get familiarize with modern mathematical tools namely MATHEMATICA/MATLAB/PYTHON/ SCILAB

Students are supposed to rate their experience with the Course Outcomes (CO's) listed above.

Use the scale of points as given below:

Levels	Excellent	Good	Average
Points	3	2	1

Sl No	USN	Student Name	CO1	CO2	CO3	CO4	CO5	Signature
1	1MV23EE001	ACHAL CHOURASIYA	3	3	3	3	3	<i>[Signature]</i>
2	1MV23EE002	ADARSH KUMAR G M	3	2	3	3	3	<i>[Signature]</i>
3	1MV23EE003	ADITYA SURYA DEV N P	3	3	2	2	2	<i>[Signature]</i>
4	1MV23EE004	AKARSHIKA SRIVASTAVA	3	3	3	3	3	<i>AKARSHIKA</i>
5	1MV23EE005	AMBIKA SHATAGAR	2	3	2	3	3	<i>[Signature]</i>
6	1MV23EE006	ANANYA SINGH	3	3	3	3	3	<i>[Signature]</i>
7	1MV23EE007	ANKIT KUMAR	3	3	3	3	3	<i>[Signature]</i>
8	1MV23EE008	ARYA M	2	3	2	3	2	<i>[Signature]</i>

9	1MV23EE009	ARYA PRASAD S	3	3	3	3	3	3	ARYA
10	1MV23EE010	ARYAN ANILRAO DESALE	3	2	2	3	2	2	ARYAN
11	1MV23EE011	ASTITWA SINGH	3	3	3	3	3	3	ASTITWA
12	1MV23EE012	BAIREDDY KALYANI							BAIREDDY
13	1MV23EE013	BHARAT M HANASI	3	3	3	3	3	3	BHARAT
14	1MV23EE014	BHASKAR SINHA	3	3	3	3	3	3	BHASKAR
15	1MV23EE015	CHANDAN J	3	3	3	3	3	3	CHANDAN
16	1MV23EE016	CHEELAM VARUN REDDY	2	3	2	3	3	3	CHEELAM
17	1MV23EE017	DEEKSHITHA D G	3	3	3	3	3	3	DEEKSHITHA
18	1MV23EE018	DEEPIKA E	3	2	2	3	3	3	DEEPIKA
19	1MV23EE019	DIAMOND TIRTHANKAR RAJ	3	3	3	3	3	3	DIAMOND
20	1MV23EE020	DILEEP L	3	3	3	3	3	3	DILEEP
21	1MV23EE021	FIZA KOUSAR	3	3	3	3	3	3	FIZA
22	1MV23EE022	G K SPOORTHY	3	3	3	3	3	3	G K SPOORTHY
23	1MV23EE023	GAYATRI	3	3	3	3	3	3	GAYATRI
24	1MV23EE024	GIRISH T P	3	3	3	3	3	3	GIRISH T P
25	1MV23EE025	HEMANTH K D	2	2	3	3	3	3	HEMANTH
26	1MV23EE026	JEEVAN	3	2	2	3	3	3	JEEVAN
27	1MV23EE027	KEERTHANA B Y	3	2	3	3	3	3	KEERTHANA
28	1MV23EE028	LAKSHMI	3	3	3	3	3	3	LAKSHMI
29	1MV23EE029	LAKSHMI H GOWDA	3	2	3	2	2	2	LAKSHMI
30	1MV23EE030	LAVANYA R	3	3	2	2	3	3	LAVANYA
31	1MV23EE031	LIKHITH S R	3	2	3	2	3	3	LIKHITH
32	1MV23EE032	MAANYA S	2	2	3	2	3	3	MAANYA
33	1MV23EE033	MAHAMMAD ANEEF M	3	3	3	3	3	3	MAHAMMAD
34	1MV23EE034	MANOHAR KUMAR	3	3	3	3	3	3	MANOHAR
35	1MV23EE035	MAYANK KUMAR	3	3	3	3	3	3	MAYANK
36	1MV23EE036	MUSTAFA BOHRA	3	3	3	3	3	3	MUSTAFA
37	1MV23EE037	NAINIKA	3	3	3	3	3	3	NAINIKA
38	1MV23EE038	NANDINI APAAR	3	3	3	3	3	3	NANDINI
39	1MV23EE039	NANDINI ARKACHARI	3	2	2	3	3	3	NANDINI
40	1MV23EE040	NANDITHA R	3	3	3	3	3	3	NANDITHA
41	1MV23EE041	NARSING	3	3	3	3	3	3	NARSING

42	1MV23EE042	NAVEEN KUMAR	3	3	3	3	3	NAVEEN
43	1MV23EE043	NAVEEN R	3	3	3	3	3	NAVEEN
44	1MV23EE044	NIMISHA TRIPATHI	3	3	3	3	2	NIMISHA
45	1MV23EE045	NIMISHITH GOWDA D P	3	3	2	3	3	NIMISHITH
46	1MV23EE046	NITESH KUMAR SAH	2	3	2	2	3	NITESH
47	1MV23EE047	NITISH KUMAR	3	3	3	3	3	NITISH
48	1MV23EE048	OMKAR	3	3	3	3	3	OMKAR
49	1MV23EE049	PATEL ADITI HIRALAL	3	3	3	2	3	ADITI
50	1MV23EE050	PIYUSH RATN	3	3	3	3	3	PIYUSH
51	1MV23EE051	POOJA P	3	3	3	3	3	POOJA
52	1MV23EE052	POOJA S N	3	3	2	3	2	POOJA
53	1MV23EE053	PRAJWAL APPASAHEB SHINDHE	3	3	3	3	3	PRAJWAL
54	1MV23EE054	PRANAV BHARDWAJ	3	3	3	3	3	PRANAV
55	1MV23EE055	PRATHAM SHARMA	3	3	3	3	1	PRATHAM
56	1MV23EE056	PRAVAAL RAJ MISHRA	3	3	3	3	3	PRAVAAL
57	1MV23EE057	PREKSHA MUNDRA	3	3	3	3	3	PREKSHA



Faculty : Mrs. SHUBA.R.N

Subject : BMATE201 - Mathematics-II for Electrical & Electronics Engineering Stream

Program :

Semester : 2

Filled By : 57

Division : 2D - EE

Sr. No.	Question	Weight	Score Obtained	%	No. of students who have said				
					Excellent(5)	Very Good (4)	Good(3)	Fair(2)	Bad(1)
1	Planning of lectures and Presentation of subject matter in logical sequence	3	648	75.79	26	8	13	5	5
2	Presentation and Communication skills	3	639	74.74	24	9	14	5	5
3	Subject knowledge	3	660	77.19	26	7	17	4	3
4	Willingness to clarify doubts and provide guidance	3	630	73.68	21	13	13	4	6
5	Class Room Management	3	648	75.79	24	11	12	6	4
6	Use of Black board and other teaching aids	3	660	77.19	27	7	14	6	3
7	Preparedness for class	2	438	76.84	25	10	14	4	4
8	Fostering punctuality through his / her example	2	430	75.44	25	7	15	7	3
9	Confidence level of the teacher	2	438	76.84	25	9	15	5	3
10	Attire and mannerism	2	418	73.33	22	11	13	5	6
11	Overall assessment of the teacher	3	654	76.49	24	11	14	4	4
					Most of the times(5)	Rarely(3)	Never(1)		
12	Relates theory to applications of real world problems	1	235	82.46	39	11	7		
					Always(5)	Most of the time(3)	Rarely(1)		
13	Teaching in a way resulting in real learning / understanding and motivation	2	402	70.53	26	20	11		
					Impartial(5)	Justifiable(3)	Partial(1)		
14	Fairness in evaluation	1	209	73.33	25	26	6		
					Acceptable (5)	Slow(3)	Fast(1)		
15	Pace at which the subject is taught	2	478	83.86	44	3	10		

Overall Score		
Max. Possible points	Obtained	Percentage
9975	7587	76.06%



Faculty : Mrs. SHUBA.R.N

Subject : BMATS201 - Mathematics - II for Computer Science and Engineering Stream

Program :

Semester : 2

Filled By : 27

Division : 2I - CS

Sr. No.	Question	Weight	Score Obtained	%	No. of students who have said				
					Excellent(5)	Very Good (4)	Good(3)	Fair(2)	Bad(1)
1	Planning of lectures and Presentation of subject matter in logical sequence	3	348	85.93	15	5	7	0	0
2	Presentation and Communication skills	3	342	84.44	14	6	6	1	0
3	Subject knowledge	3	345	85.19	14	6	7	0	0
4	Willingness to clarify doubts and provide guidance	3	348	85.93	14	7	6	0	0
5	Class Room Management	3	339	83.70	14	5	7	1	0
6	Use of Black board and other teaching aids	3	348	85.93	14	7	6	0	0
7	Preparedness for class	2	236	87.41	16	5	6	0	0
8	Fostering punctuality through his / her example	2	232	85.93	14	7	6	0	0
9	Confidence level of the teacher	2	230	85.19	15	4	8	0	0
10	Attire and mannerism	2	230	85.19	14	7	5	1	0
11	Overall assessment of the teacher	3	354	87.41	16	5	6	0	0
					Most of the times(5)	Rarely(3)	Never(1)		
12	Relates theory to applications of real world problems	1	117	86.67	18	9	0		
					Always(5)	Most of the time(3)	Rarely(1)		
13	Teaching in a way resulting in real learning / understanding and motivation	2	222	82.22	17	8	2		
					Impartial(5)	Justifiable(3)	Partial(1)		
14	Fairness in evaluation	1	111	82.22	15	12	0		
					Acceptable (5)	Slow(3)	Fast(1)		
15	Pace at which the subject is taught	2	242	89.63	20	7	0		

Overall Score		
Max. Possible points	Obtained	Percentage
4725	4044	85.59%



Faculty : Mrs. SHUBA.R.N

Subject : BMATS201 - Mathematics - II for Computer Science and
Engineering Stream

Program :

Semester : 2

Filled By : 19

Division : 2K - CS

Sr. No.	Question	Weight	Score Obtained	%	No. of students who have said				
					Excellent(5)	Very Good (4)	Good(3)	Fair(2)	Bad(1)
1	Planning of lectures and Presentation of subject matter in logical sequence	3	210	73.68	5	6	5	3	0
2	Presentation and Communication skills	3	207	72.63	4	7	5	3	0
3	Subject knowledge	3	207	72.63	4	6	7	2	0
4	Willingness to clarify doubts and provide guidance	3	210	73.68	5	5	7	2	0
5	Class Room Management	3	204	71.58	4	7	4	4	0
6	Use of Black board and other teaching aids	3	207	72.63	5	6	4	4	0
7	Preparedness for class	2	140	73.68	6	5	4	4	0
8	Fostering punctuality through his / her example	2	138	72.63	4	8	3	4	0
9	Confidence level of the teacher	2	142	74.74	5	6	6	2	0
10	Attire and mannerism	2	142	74.74	5	6	6	2	0
11	Overall assessment of the teacher	3	225	78.95	6	7	5	1	0
					Most of the times(5)	Rarely(3)	Never(1)		
12	Relates theory to applications of real world problems	1	83	87.37	13	6	0		
					Always(5)	Most of the time(3)	Rarely(1)		
13	Teaching in a way resulting in real learning / understanding and motivation	2	122	64.21	5	11	3		
					Impartial(5)	Justifiable(3)	Partial(1)		
14	Fairness in evaluation	1	73	76.84	9	9	1		
					Acceptable (5)	Slow(3)	Fast(1)		
15	Pace at which the subject is taught	2	174	91.58	16	2	1		

Overall Score		
Max. Possible points	Obtained	Percentage
3325	2484	74.71%

Course Code/Course Title: BMATE201/Mathematics-II for EEE Stream

Sem./Section/Branch: II/D/EEE

4 CREDITS (Integrated Course)

Roll No	USN	Name	TESTS			ASSIGNMENTS			PRACTICAL		Total	Signature of the student
			T1	T2		A1	A2		theory (25)	Practicals		
			15	15		10	10		25	25	50	
1	1MV23EE001	ACHAL CHOURASIYA	0	14	12	10	10	10	22	20	42	<i>Achal</i>
2	1MV23EE002	ADARSH KUMAR G M	5	7	6	10	10	10	16	23	39	<i>Adarsh</i>
3	1MV23EE003	ADITYA SURYA DEV N P	12	14	13	10	10	10	23	21	44	<i>Aditya</i>
4	1MV23EE004	AKARSHIKA SRIVASTAVA	AB	10	5	10	10	10	15	14	29	<i>Akarshika</i>
5	1MV23EE005	AMBIKA SHATAGAR	10	14	12	10	10	10	22	24	46	<i>Ambika</i>
6	1MV23EE006	ANANYA SINGH	11	13	12	10	10	10	22	22	44	<i>Ananya</i>
7	1MV23EE007	ANKIT KUMAR	8	8	8	10	10	10	18	20	38	<i>Ankit</i>
8	1MV23EE008	ARYA M	3	AB	2	8	8	8	10	1	11	<i>Arya</i>
9	1MV23EE009	ARYA PRASAD S	2	4	3	8	8	8	11	13	24	<i>Arya</i>
10	1MV23EE010	ARYAN ANILKRAO DESALE	4	9	7	10	10	10	17	10	27	<i>Aryan</i>
11	1MV23EE011	ASTITWA SINGH	14	10	12	10	10	10	22	18	40	<i>Astitwa</i>
12	1MV23EE012	BAIREDDY KALYANI	13	15	14	10	10	10	24	24	48	<i>Baireddy</i>
13	1MV23EE013	BHARAT M HANASI	13	14	14	10	10	10	24	23	47	<i>Bharat</i>
14	1MV23EE014	BHASKAR SINHA	13	12	13	10	10	10	23	15	38	<i>Bhaskar</i>
15	1MV23EE015	CHANDAN J	11	14	13	10	10	10	23	19	42	<i>Chandan</i>
16	1MV23EE016	CHEELAM VARUN REDDY	5	11	8	10	10	10	18	20	38	<i>Chelam</i>
17	1MV23EE017	DEEKSHITHA D G	11	11	11	10	10	10	21	24	45	<i>Deekshitha</i>
18	1MV23EE018	DEEPIKA E	15	15	15	10	10	10	25	21	46	<i>Deepika</i>
19	1MV23EE019	DIAMOND TIRTHANKAR RA.	6	8	7	10	10	10	17	16	33	<i>Diamond</i>
20	1MV23EE020	DILEEP L	0	9	5	10	10	10	15	20	35	<i>Dileep</i>
21	1MV23EE021	FIZA KOUSAR	12	15	14	10	10	10	24	21	45	<i>Fiza</i>
22	1MV23EE022	G K SPOORTHI	1	2	2	10	10	10	12	23	35	<i>G K</i>

23	1MV23EE023	GAYATRI	15	15	15	10	10	10	25	24	49	Gayatri
24	1MV23EE024	GIRISH T P	3	8	6	10	10	10	16	22	38	Girish T.P
25	1MV23EE025	HEMANTH K D	0	10	5	10	10	10	15	11	26	Hemanth
26	1MV23EE026	JEEVAN	2	10	6	10	10	10	16	20	36	Jeevan
27	1MV23EE027	KEERTHANA B Y	11	15	13	10	10	10	23	23	46	Keerthana
28	1MV23EE028	LAKSHMI	11	11	11	10	10	10	21	20	41	Lakshmi
29	1MV23EE029	LAKSHMI H GOWDA	13	14	14	10	10	10	24	23	47	Lakshmi H.G.
30	1MV23EE030	LAVANYA R	2	10	6	10	10	10	16	21	37	Lavanya
31	1MV23EE031	LIKHITH S R	4	11	8	10	10	10	18	24	42	Likhith S.R
32	1MV23EE032	MAANYA S	15	15	15	10	10	10	25	24	49	Maanya S
33	1MV23EE033	MAHAMMAD ANEEF M	2	7	5	10	10	10	15	21	36	Anaef - M
34	1MV23EE034	MANOHAR KUMAR	11	14	13	10	10	10	23	21	44	Manohar
35	1MV23EE035	MAYANK KUMAR	4	10	7	10	10	10	17	18	36	Mayank
36	1MV23EE036	MUSTAFA BOHRA	14	15	15	10	10	10	25	22	47	Mustafa
37	1MV23EE037	NAINIKA	12	10	11	10	10	10	21	24	45	Nainika
38	1MV23EE038	NANDINI APAAR	11	15	13	10	10	10	23	24	47	Nandini
39	1MV23EE039	NANDINI ARKACHARI	13	14	14	10	10	10	24	23	47	Nandini
40	1MV23EE040	NANDITHA R	7	8	8	10	10	10	18	22	40	Nanditha
41	1MV23EE041	NARSING	4	10	7	10	10	10	17	18	35	Narsing
42	1MV23EE042	NAVEEN KUMAR	4	8	6	10	10	10	16	21	37	Naveen
43	1MV23EE043	NAVEEN R	4	14	9	10	10	10	19	22	41	Naveen R
44	1MV23EE044	NIMISHA TRIPATHI	6	13	10	10	10	10	20	24	44	Nimisha
45	1MV23EE045	NIMISHITH GOWDA D P	4	15	10	10	10	10	20	15	35	Nimishith
46	1MV23EE046	NITESH KUMAR SAH	13	15	14	10	10	10	24	21	45	Nitesh
47	1MV23EE047	NITISH KUMAR	1	0	0	0	0	0	1	10	11	Nitish
48	1MV23EE048	OMKAR	11	11	11	10	10	10	21	19	40	Omkar
49	1MV23EE049	PATEL ADITI HIRALAL	10	5	8	10	10	10	18	24	42	Patel
50	1MV23EE050	PIYUSH RATN	13	15	14	10	10	10	24	23	47	Piyush

[illegible]

SIR M. VISVESVARAYA INSTITUTE OF TECHNOLOGY			
RESULTS OF VTU JUNE-JULY 2024 EXAMINATION (22 SCHEME NEP)			
COURSE: BE	BRANCH: ELECTRONICS & ELECTRICAL ENGG.	SEM: SECOND	ACADEMIC YEAR: 2023-24

Subject Wise Pass Percentage

Sub Code	Subject Name	No of Students							
		Allotted	Appeared	Passed	Failed	Absent	Result Withheld	Not Eligible	Pass % age
BMATE201	MATHEMATICS-II FOR EES	114	112	101	11	0	0	2	90
BPHYE202	APPLIED PHYSICS FOR EES	114	103	91	12	0	0	11	88
BEEE203	ELEMENT OF ELECTRICAL ENGINEERING	114	114	109	5	0	0	0	96
BPWSK206	PROFESSIONAL WRITING SKILLS IN ENGLISH	114	114	114	0	0	0	0	100
BKBKK207	BALAKE KANNADA	114	53	53	0	0	0	0	100
BKSKK207	SAMSKRUTIKA KANNADA	114	61	60	1	0	0	0	98
BIDTK258	INNOVATION AND DESIGN THINKING	114	114	114	0	0	0	0	100
BESCK204A	INTRODUCTION TO CIVIL ENGINEERING	114	34	30	4	0	0	0	88
BESCK204D	INTRODUCTION TO MECHANICAL ENGINEERING	114	42	41	1	0	0	0	98
BETCK205E	RENEWABLE ENERGY SOURCES	114	73	73	0	0	0	0	100
BESCK204E	INTRODUCTION TO C PROGRAMMING	114	38	36	2	0	0	0	95
BETCK205H	INTRODUCTION TO INTERNET OF THINGS (IOT)	114	35	32	3	0	0	1	91
BETCK205F	WASTE MANAGEMENT	0	0	0	0	0	0	0	#DIV/0!



Overall Pass Percentage %	
90	= 78.95
114	
Number of students secured	
FCD	62
FC	19
SC	6