# A LABORATORY MANUAL OF ENGINEERING PHYSICS

(1/11 Semester B.E.) (Common to all Branches)

**SUBJECT CODE: 18PHYL 16/26** 



2019-2020

## -: OUR MISSION:-

Disciplined and Integrated Development of Personality Through Academic Excellence, Sports and Cultural Activities

Name:	······································
USN/Roll No:	Group:
Section:	
Branch :	••••••

DEPARTMENT OF PHYSICS
SIR M. VISVESVARAYA INSTITUTE OF TECHNOLOGY
(Affiliated to VTU, Recognised by AICTE and Accredited by NAA C
Bangalore - 562 157

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## Suggested Experiments in Engg. Physics Lab.

(Common to all Branches)

(Effective from the academic year 2018-19)

Course Code: 18PHY16/26 IA Marks: 40
Contact Hours/Week: 03 Exam. Marks: 100
Credits: 1.5 Exams. Hours: 03

#### Course Learning Objectives: This course (18PHY16/26) will enable students

- To realize experimentally, the mechanical, electrical and thermal properties of materials, concept of waves and oscillations
- Design simple circuits and hence study the characteristics of semiconductor devices

SI. No	Title of the Experiment	To which Module it belongs
1	Determination of spring constants in Series and Parallel combination	I
2	Determination of Magnetic field intensity at the center of a circular coil carrying current by deflection method)	III
3	n & I by Torsional pendulum (radius of the wire, mass and dimensions of the regular bodies to be given). (In the examination either nor I to be asked)	П
4	Young's modulus of a beam by Single Cantilever experiment (breadth and thickness of the beam to be given)	п
5	Radius of curvature of piano convex lens using Newton's rings	III
	(wavelength of light to be given)	***
6	Study Series and parallel LCR resonance and hence calculate	
	inductance, band width and quality factor using series LCR	I/III
7	Resonance	
7	Determine Acceptance angle and Numerical aperture of an optical fiber	III
8	Determine Wavelength of semiconductor laser using Laser diffraction by calculating grating constant.	IV
9	Estimation of Fermi Enerny of Copper	V
10	Study of input and output Transistor characteristics and hence	
	calculate input resistance, a and B	V
11	Draw photodiode characteristics and calculate power	V
	responsivity	•
12	Calculation of Dielectric constant by RC charging and	V
	Discharging	

#### Note:

- 1. In addition to above experiments, Reddy shock tube must be introduced as compulsorydemo experiment
- 2. All 12 experiments are mandatory. Student has to perform 2 experiments in the semester end examination

#### **Course Outcomes:**

Upon completion of this course, students will be able to

1. Apprehend the concepts of interference of light, diffraction of light, Fermi energy and magnetic effect of current

# **EVALUATION SCHEME**

ENGINEERING	NGINEERING PHYSICS LAB			YL 16/26
<b>♦ P</b>	ROCEDURE		EX	IN
A	FORMULA WITH EXPLANATION	)		
В	FIGURE / CIRCUIT DIAGRAM	}	08	10
C	TABULAR COLUMN	)		
* C	ONDUCTION			
A)	SET UP AND MEASUREMENT	)	0.E	20
В	CONDUCTING EXPERIMENT	}	25	20
* C	ALCULATION			
A)	SUBSTITUTION / SIMPLIFICATION	)	10	10
В	GRAPH / ACCURACY / RESULT & REPORT	<i>\</i>	10	10
VIVA-VO	OCE		07	10
TOTAL	MARKS		50	50

#### Note:

The candidate has to perform two experiments in external examination. Each experiment 50 marks.

The INTERNALS will be conducted for 50 marks and reduced to 10 marks. 30 marks are awarded for the record and for performance in the lab during semester.

**Important Note:** Work done in the lab and the practical record are continuously assessed. Candidate must score a minimum of 20 out of 40 sessional marks. If candidate fails to get the minimum prescribed, he/ she will not be allowed to sit for the Lab examination as per VTU regulations.

# SUMMARY OF WORK DONE

INCH	IARGE FA	CULTY:					
NAM	E:	: USN :					
BRAN	NCH :	SEC:	SEM:	B.	АТСН:	YEAR:_	
SL. NO.	DATE		TLE OF THE PERIMENT		MARKS O MANUAL	BTAINED	FACULTY SIGNATURE
1			I EXTIVIE VI		WANGAL	RECORD	SIGIVITURE
2							
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12							
		AVERAGE 1	MARKS OBTA	INED			
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STU	UDENT	INCHA	ARGE FACULTY	<u>'</u>	HEAD (	OF THE DEP.	ARTMENT

Exp No.:

# **DIELECTRIC CONSTANT**

**AIM** To determine the capacitance value of the given capacitors, RC time constant

values and dielectric constant values using a DC charging and discharging

Date:

circuit.

**APPARATUS:** 5V DC power supply, digital voltmeter, timer, resistors of known values, and

capacitors of unknown values, circuit unit and patch cords

**FORMULAE** 

1. Farad, 0.693 x R

Where,

C is capacitance, (F).

 $T_{\frac{1}{2}}$  is the time in second required to get charged/discharged to 50% of the

capacitance value, (s).  $R_{\scriptscriptstyle 1}$ is the resistance ( $\Omega$ ).

2. T = RCSecond,

Where, T is the time constant (capacitative time constant), (s)

 $(1.44 \times 10^{-6}) T_{_{1/2}} d$ 3.

> Where, K dielectric constant

> > $T^{1/2} =$ time in second required by the capacitor to get charged/

discharged to 50% of capacitance value (from graph (s))

d separation between capacitor plates (m)

area of capacitor plates (m<sup>2</sup>) Α

R resistance used in circuit ( $\Omega$ ).

 $8.854 \times 10^{-12} \text{ F/m}$ 

**DIAGRAM:** 

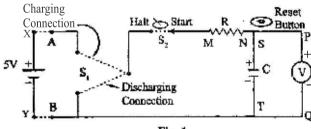
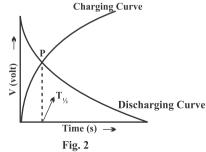


Fig. 1



#### **CAPACITOR DIMENSIONS**

Capacitor	Length	Breadth	Separation
Dimensions	(mm)	(mm)	(mm)
$C_{_1}$	47	5	0.075
$C_2$	114	5	0.075
$C_3$	183	6	0.075

#### PROCEDURE:

- $\diamond$  Circuit connections are made as shown in diagram for a set RC combination (Taking R<sub>1</sub> = 100k, C = C<sub>1</sub>).
- ❖ The digital stop clock is reset by pressing reset button.
- ❖ Set the voltmeter reading to zero by shorting the two terminals of capacitor.
- $\diamond$  The toggle switch  $S_1$  is thrown to the charge position. The toggle switch  $S_2$  is thrown to the start position.
- Time from the digital clock and voltage from the voltmeter are noted starting from 0 seconds to at an interval of 5 seconds.
- $\diamond$  Once the clock shows 90 seconds reading immediately the clock is reset and switch  $S_1$  is thrown to discharge position (D) simultaneously.
- ❖ Continue noting down time and voltage starting from 0 seconds to 90 seconds at an interval of 5 seconds.
- Repeat the procedure for  $R_1 = 100k$ ,  $C = C_2$
- A graph is drawn taking time in seconds along X-axis and voltage in volts along Y-axis for each RC combination.
- $\diamond$  The Value of time  $(T_{1/2})$  where the charging and discharging curve intersect is determined.
- ❖ For each RC combination the value of capacitance C, time constant T and dielectric constant K is calculated usinp the formula 1, 2 & 3 respectively,

# **RESULTS:** 1. The capacitance values are found to be, (A) $C_1 = \dots$ Farad $C_2 = \dots$ Farad (B) 2. The time constant values are found to be, $T_1 = \dots$ Second. (A) $T_2 = \dots$ Second. (B) and 3. The dielectric constant values are found to be $K_1 = \dots$ (A) K<sub>2</sub> = ..... (B) Signature of the Teacher: Marks Obtained:

Date:

# **OBSERVATIONS AND CALCULATIONS:**

# TABULAR COLUMN

# Dependence of Capacitors voltage on time

	RC Comb	ination — 1	RC Comb	ination — 2	
Time in	Voltage across C <sub>1</sub> in		Voltage across $C_2$ in volts $R_1 = 100 \text{ k}\Omega$		
seconds		= 100 kΩ			
	Charge mode	Discharge mode	Charge mode	Discharge mode	
0					
5					
10					
15					
20					
25					
30					
35					
40					
45					
50					
55					
60					
65					
70					
75					
80					
85					
90					
95					
100					

CALCULATION:

CALCULATION:

CALCULATION:

CALCULATION:

CALCULATION:	

CALCULATION:	

# **DIELECTRIC CONSTANT**

## **VIVA - VOCE**

- 1. What are dielectrics?
- 2. What is forbidden gap?
- 3. Why do we use dielectric material in capacitor?
- 4. What is the dielectric constant for air/vacuum?
- 5. Define capacitance & Dielectric Constant?
- 6. How can the capacitance value of the capacitor be increased?

-0 - 0 - 0 -

Exp No.: Date:

# FERMI ENERGY

**AIM** : To determine the Fermi energy and Fermi temperature of the given metal

by studying resistance variation at different temperatures.

**APPARATUS**: DC regulated power supply, digital milliammeter, digital millivoltmeter,

heating arrangements, thermometer, metal coil, circuit unit and patch

cords.

**PRINCIPLE**: Fermi energy is the energy corresponding to the highest occupied level at

zero degree absolute kelvin and the energy level is referred to as the Fermi

level.

Fermi energy plays an important role in the application of Fermi-Dirac statistics. The Fermi-Dirac distribution function for electrons is given

$$F(E) = \frac{1}{e^{\left(\frac{E - E_F}{kT}\right)_{+1}}} \text{ where } E_F \text{ is Fermi energy}$$

At T = 0 K, f(E) = 1 for  $E < E_F$  and f(E) = 0 for  $E > E_F$ . Thus at absolute zero, E has the significance of a cut off energy because all states with energy less than E are completely filled and all the states with energy greater than E are vacant at T = 0 K.

**FORMULA** 

1. Electron density:  $n = \frac{N\rho}{M}$   $m^{-3}$ 

where, N =  $6.023 \times 10^{26}$  per kg mol is Avogadro number.

 $\rho$  = density of the metal = 8930 kg m<sup>-3</sup>.

M = mass number of the metal = 63.54.

2. Fermi energy:

 $E_{F} = \left[\frac{n e^{2} \pi A r^{2}}{L \sqrt{2m}}\right]^{2} \chi \left[\frac{\Delta R}{\Delta T}\right]^{2} \qquad J = \dots eV$ 

where,  $n = \text{electron density per m}^3$ .

e = electron charge =  $1.602 \times 10^{-19} \text{ C.}$ 

A =  $constant = 7.6 \times 10^{-6}$ .

r = radius of the copper wire =  $0.26 \times 10^{-3}$  m.

L = length of copper wire = 3.58 m.

m = mass of the electron =  $9.1 \times 10^{-31}$  kg.

 $\Delta R = \text{slope of the straight line obtained by plotting resistance}$ of the material against absolute temperature of the metal.

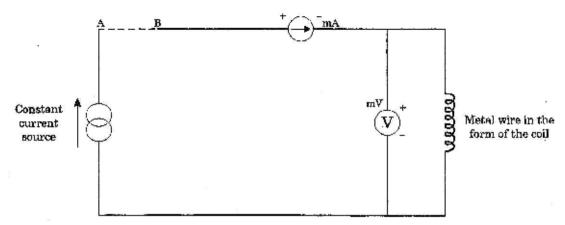
3. Fermi temperature:

 $T_{F} = \frac{E_{F}}{k}$  K

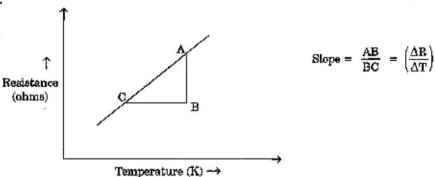
where  $k = Boltzmann's constant = 1.381 \times 10^{-23} J/K$ .

 $E_F$  = Fermi Energy in J.

#### **DIAGRAM**:



**GRAPH:** 



#### PROCEDURE:

- The experimental setup is as shown in the figure. The two ends of the coiled wire is connected to a power supply through a milliammeter and millivoltmeter is connected across the coil.
- ❖ A thermometer is immersed in the beaker containing hot water and coil.
- The power supply is switched on and voltage and currents are noted in table. The water is allowed to cool and temperature is noted down in regular intervals.
- ❖ Trial is repeated taking reading in the interval of 5 degree and till the temperature reaches  $45^{\circ}$ . At each temperature, the voltages and currents are measured and hence from ohm's law, resistance is found [R=V/I $\Omega$ ].
- ❖ A graph is drawn taking temperatures in degree K along X-axis and resistance on Y-axis as shown in figure. The slope of straight line is calculated.
- ❖ Finally Fermi energy is calculated. Once the Fermi energy is found, Fermi temperature can be calculated.

#### **RESULTS:**

1.	Electron density is found to be	n	=	 /n
2.	Fermi energy is found to be	$\boldsymbol{E}_{\scriptscriptstyle F}$	=	 eV
3.	Fermi temperature is found to be	$T_{\scriptscriptstyle F}$	=	 K.

Signature of the Teacher:	Marks Obtained :	

Date:

# **OBSERVATIONS AND CALCULATIONS:**

## TABULAR COLUMN TO FIND R

Temperature		Voltage (mV)	Current	Resistance ( $\Omega$ ) R = V/I
°C	°K	(mV)	(mA)	R = V/I

CALCULATION:	

CALCULATION:	

CALCULATION:	

CALCULATION:	

CALCULATION:	

CALCULATION:	

# FERMI ENERGY

## **VIVA - VOCE**

- 1. Define Fermi energy and Fermi level.
- 2. Define Fermi dirac statistics.
- 3. What is Fermi factor and Fermi temperature.
- 4. What are fermions and bosons?
- 5. State Pauli's Exclusion principle.

$$-0 - 0 - 0 -$$

Exp No.:

Date:

# LCR CIRCUITS

**AIM** 

To study the current (I) vs frequency (f) response curve of a LCR circuit both in series and parallel and hence to determine the value of resonant frequency (f), inductance of the given coil (L), bandwidth BW and quality factor (Q).

**APPARATUS:** 

Inductor(L), Capacitor(C), Resistance(R), AC Voltmeter, AC ammeter, Audio Frequency oscillator, connectiong wires etc.

**PRINCIPLE** 

: If a resistor having a resistance R, an Inductor having inductance L and a capacitor having capacitance C are connected in series across an AC source of an output voltage  $V_{\tiny rms}$ , the impedance of the circuit is

$$Z = \sqrt{[R^2 + (X_L \sim X_C)^2]}$$

where,  $X_L$  = Inductive reactance = L = 2 fL

$$X_{C}$$
 = Capacitive reactance =  $\frac{1}{\omega C}$  =  $\frac{1}{2\pi fC}$ 

The current in the circuit is  $I = \frac{V}{Z}$ .  $X_L$  varies directly with frequency and

 $X_{\rm c}$  varies inversely with frequency and R is independent of frequency. At the Frequency  $f_{\rm r}$ , called resonance frequency, the impedance of the circuit is minimum, and the corresponding current is maximum, this condition is known as resonance. At resonance  $X_{\rm L} = X_{\rm c}$ . When an inductor of negligible resistance and the capacitor are connected in parallel to an audio oscillator then voltage across R is maximum and hence current is minimum. By knowing the values of C, and measuring  $f_{\rm r}$  from graph of I versus f, Values of L, Q and BW is determined.

**FORMULA** 

1. The inductance of the coil (L) is given by

$$L = \frac{1}{4\pi^2 f_r^2 C} \qquad H$$

where,

L = The inductance of the given coil in H.

 $f_{r}$  = The resonance frequency in Hz.

C = capacitance of the capacitor in F.

2. The Quality factor (Q) of the coil is given by

$$Q = \frac{2\pi f_r L}{R} = \frac{1}{2\pi f_r CR}$$

3. The Bandwidth (BW) of the circuit is given by

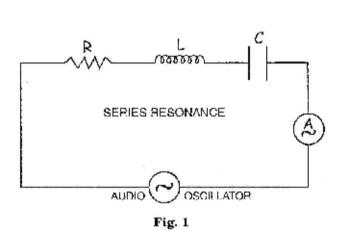
$$BW = f_2 - f_1 \qquad Hz$$

Where

 $f_2$  = Upper cutoff frequency in Hz.

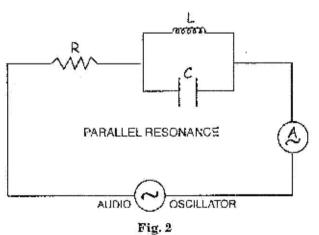
 $f_1$  = Lower cutoff frequency in Hz.

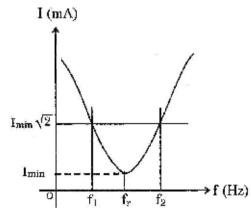
## **DIAGRAM:**



 $I_{\max} = \frac{I_{\max}}{\sqrt{2}}$   $f_1 = f_2 = f_3$  f(IIz)

I (mA)





# PROCEDURE:

- Circuit connections for series resonance are made as shown in Fig 1. \*\*
- Keeping input voltage constant (say 4V) the frequency is varied in steps (say 200 Hz) and • the corresponding current is noted in each case.
- As we increase the frequency, the current increases up to resonance frequency; further \*\* increase in frequency leads to decrease in current.
- A graph is plotted taking current readings along Y-axis and frequency readings along X-\* axis.
- From the graph, the resonance frequency, lower cut off frequency and upper cut off frequency are determined.
- •
- •
- •

#### R

**		nulae 1, 2, and 3 respectively.	ana	band width are calculated using the	
*	Circ	uit connections for parallel resonance are	made	e as shown in Fig. 2	
<b>.</b>	-	eat the above procedure for parallel resulency and then calculate the values of L,			
RES	SULT	TS:			
	Seri	es Resonance Circuit:			
	1.	Resonant frequency is found to be, $f_r$	=	Hz.	
	2.	Inductance of the coil is found to be, L	=	H.	
	3.	Quality Factor is found to be, Q	=	··	
	4.	Band width is found to be, BW	=	Hz.	
	Para	allel Resonance Circuit:			
	1.	Resonant frequency is found to be, $f_r$	=	Hz.	
	2.	Inductance of the coil is found to be, L	=	H.	
	3.	Quality Factor is found to be, Q	=	·	
	4.	Band width is found to be, BW	=	Hz.	
Sigr	nature	e of the Teacher :		Marks Obtained :	
Date	e :				

# **OBSERVATIONS AND CALCULATIONS:**

# TABULAR COLUMN TO FIND RESONANCE FREQUENCY

$\mathbf{R} =$	Ω	C	=	F

SERIES RESONANCE		PARALLEL RESONANCE		
Frequency	Current	Frequency	Current	
in Hz.	in mA	in Hz.	in mA	
200		200		
400		400		
600		600		
800		800		
1000		1000		
1500		1500		
2000		2000		
2500		2500		
3000		3000		
3500		3500		
4000		4000		
4500		4500		
5000		5000		
5500		5500		
6000		6000		
6500		6500		
7000		7000		
7500		7500		
8000		8000		

CALCULATION:	

CALCULATION:	

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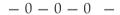
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#### NOTE:

- Circuit connections should be made properly without any discrepancies then the supply is switched on.
- ❖ Care should be taken to keep the input voltage always a constant.
- Current readings for series should start and end with the same readings. (Suppose if your first reading for series is about 1 mA then you are supposed to take readings until you reach 1 mA or at least very close to 1 mA say 3 mA)
- ❖ Above is applicable for parallel also (Suppose, your first reading for parallel is about 40 mA then you are supposed to take readings until you reach 40 mA or at least very close to 40 mA say 37 mA)
- Calculations for both series and parallel should be shown separately.

#### **VIVA-VOCE**

- 1. What is an Oscillator? Which is the circuit that acts exactly opposite to the Oscillator?
- 2. What is the action of L, C and R?
- 3. What is the other name for series and parallel resonance circuit? Why is it called so?
- 4. What happens if you connect series and parallel resonance circuit in series with each other?
- 5. Where is the above circuit used?
- 6. Why should ammeter be connected in series with the circuit?
- 7. Why should voltmeter be connected in parallel with the circuit?
- 8. What is the principle behind this experiment?
- 9. What do you mean by resonance?
- 10. What do you mean by an impedance of the circuit?



Exp No.: Date:

# **NEWTON'S RINGS**

**AIM** : Determination of the radius of curvature of the surface of a convex lens by

measuring the diameters of the Newton's rings.

**APPARATUS**: Plano-convex lens, optical plane glass plate, turnable glass plate, travelling

miscroscope, reading lens, sodium vapor lamp, micrometer or travelling

micrometer.

**PRINCIPLE**: When a Plano-convex lens is placed on an optically flat glass plate, a thin

airfilm of varrying thickness is formed between the lens and the plate. When a monochromatic light is incident normally on the system, reflected waves interfere producing an interference pattern. The point of observation will be dark or bright depending upon the thickness of the film. The loci of all the points having the same thickness is a circle due to radial symmetry. Thus, we have to observe a set of concentric bright and dark circles around the point of contact between the lens and plate. The

point of contact will be dark due to destructive interference.

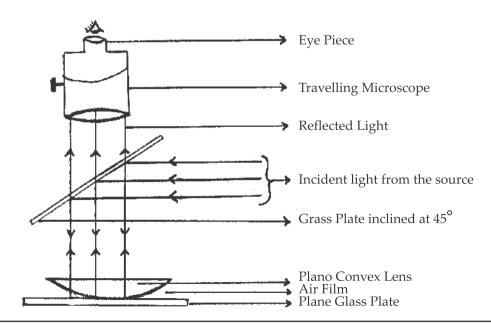
**FORMULA** : Radius of curvature of the surface of the lens.

$$R = \frac{(D_m^2 - D_n^2)_{mean}}{4 \lambda (m-n)}$$

where,  $\lambda$  = Wavelength of sodium light = 5893 X  $10^{-10}$  m

Dm, Dn = Diameter of m<sup>th</sup> and n<sup>th</sup> dark ring respectively.

**DIAGRAM:** 



#### PROCEDURE:

- A plano convex lens and the glass plates P & Q are thoroughly cleaned. The plano convex lens 'L' is placed over the glass plate 'P' the apparatus is set up as shown in Figure.
- Light from the monochromatic source is made to fall on the glass plate 'Q' which is inclined at an angle 45°. The beam is reflected vertically downwards. It is then incident normally on the plano convex lens, the beam gets reflected from the top and bottom surfaces of the air film introduced between the surfaces of the convex lens 'L' and the glass plate 'P'. Due to interference between these two rays alternative bright and dark rings are formed.
- ❖ A travelling microscope is kept vertically above the ring system, the microscope is focussed on the ring system. It's position is adjusted such that the point of intersection of the cross wire is at the centre of the ring system. The microscope is moved by means of the tangential screw from the central dark spot to the left hand side counting the number of dark rings.
- One of the cross wires is made tangential to the 12<sup>th</sup> dark ring. The readings of the pitch scale and circular scale are recorded by means of the tangential screw. The microscope is moved towards the right hand side, the cross wire is made tangential to the 12<sup>th</sup>, 10<sup>th</sup>, 8<sup>th</sup>, 6<sup>th</sup> and 4<sup>th</sup> dark rings and the corresponding readings are recorded on LHS.
- Let the diameter of the  $m^{th}$  dark ring be  $D_m$  and the diameter of the  $n^{th}$  dark ring be  $D_n$ , the mean value of  $(D_m^2 D_n^2)$  is found out then the radius of curvature of the surface of the lens is determined by using the formula.

<b>RESULTS:</b> The radius of curvature of the given converging lens is found	d to be
Signature of the Teacher :  Date :	Marks Obtained :

	mm	J.	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$				$\chi 10^6 \mathrm{m}^2$
	pe: Pitch  Total number of divisions on head scale Distance moved  Number of rotations given head scale  =	DETERMINATION OF THE DIAMETER OF THE RING	PSR CSR ings mm R <sub>1</sub> mm mm LHS mm				$mm^2 =$
.: S	roscope:  = Total numbe	ATION OF T	teter $D_m^2$ Ring $M_m^2$ No.	90	04	02	
Z	Micr =	MIN	Diamet $D_m = R_1^{-\alpha}$				II
ND CALCULATION	ount of the travelling Micr LC = Pitch =	DETERMIN	PSR CSR ings R <sub>2</sub> mm				$-D_{s}^{2} =$
OBSERVATIONS AND CALCULATIONS:	Mic	DETERMIN	LHS  Total  read- CSR ings  R <sub>2</sub> mm				

CALCULATION:	

CALCULATION:

CALCULATION:	

CALCULATION:	

CALCULATION:	

CALCULATION:	

#### NOTE:

- The upper surface of the plane glass plate should be thoroughly cleaned.
- ❖ The lens used must have a larger radius R.
- $\diamond$  Care should be taken to keep the glass plate exactly inclined at  $45^{\circ}$  with the plane of lens.
- Beware of the Backlash error.
- ❖ Discard the **first three rings** and then consider the fourth ring as you first experimental ring.
- ❖ The fringes must be focused on the cross wire by the no-parallax method.

#### **VIVA-VOCE:**

- 1. What is the interference phenomenon?
- 2. Can two Independent sources produce Interference phenomenon?
- 3. What are coherent sources?
- 4. Give the conditions for getting interference phenomenon?
- 5. What are the different types of interference phenomenon?
- 6. What are Newton's Rings?
- 7. How are these rings formed?
- 8. Why are these rings circular?
- 9. If the fringes are not exactly circular what do you infer?
- 10. Why do we use the plano-convex lens of large focal length?
- 11. Why do the rings get closer as the order of the rings increases?
- 12. Why is the 45° plate employed?
- 13. How this system produces bright centre?
- 14. What will happen if the film is illuminated by white light instead of yellow (sodium) light?
- 15. In that case, which colour will you come across first near the centre?

$$-0 - 0 - 0 -$$

Date: .....

# **Spring Constant**

**<u>Aim</u>**: To determine the Spring Constant in Series and Parallel combination.

Apparatus: Spring, Scale, Rigid Stand, Slotted Weights etc..

Principle: The

Formula:

Spring Constant  $k = \frac{F}{x}$  in Nm<sup>-1</sup> 1.

Where, F = Force Applied ( = mg) in N.

x = Displacement Produced in spring in m.

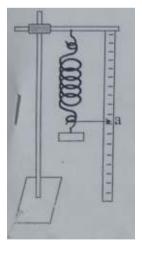
2. Spring Constant for Series combination of Springs

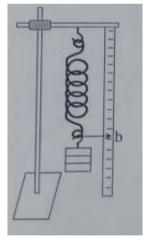
$$k_{\text{series}} = \frac{k_1 k_2}{k_1 + k_2} \text{ in Nm}^{-1}$$

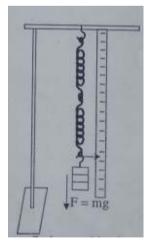
Spring Constant for Parallel combination of Springs 3.

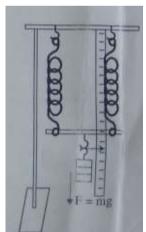
$$k_{parallel} = k_1 + k_2 \text{ in Nm}^{-1}$$

# Diagram:









With initial load

With load

Series combination Parallel combination

#### **Procedure**

- Hang the spring 1 to the given rigid stand with dead load and note down the position 'a' of the pointer on the scale with initial load.
- Add some more load into the weight hanger (say 50gm) and note down the position'b' of the pointer on the scale with final load.
- Repeat the same for the some more loads in steps of 50gm and tabulate the readings in the tabular column.
- Find out the average spring constant 'k<sub>1</sub>'.
- Repeat the above steps for the spring 2 AND FIND OUT 'k<sub>2</sub>'.

#### To verify series combination law of springs:

- Hang the springs in series combination as shown in the diagram. With the initial load, note down the position 'a' of the pointer on the scale.
- Add some more load into the weight hanger (say 50gm) and note down the position 'b' of the pointer on the scale with final load.
- Repeat the same for some more loads in steps of 50gm and tabulate the readings in the tabular column.
- Find out the average spring constant 'K<sub>series</sub>'.

# To verify Parallel combination law of springs:

- Hang the springs in parallel combination as shown in the diagram. With the initial load, note down the position 'a' of the pointer on the scale.
- Add some more load into the weight hanger (say 50gm) and note down the position 'b' of the pointer on the scale with final load.
- Repeat the same for some more loads in steps of 50gm and tabulate the readings in the tabular column.
- Find out the average spring constant ' $K_{parallel}$ '.

Calculate the theoretical value of  $K_{\mbox{\tiny series}}$  and  $K_{\mbox{\tiny parallel}}$  and compare the values with experimental values.

#### **Tabular Column**

# To find $k_1$

# Pointer reading with initial load(w), a = ......cm

Trial	Load in gm (W+m)	Pointer reading 'b' in cm	Spring stretch $(x = b - a)$	Force, F (F = mg) in N	Spring Constant k <sub>1</sub> = F/x
			in cm		in N/m
1	W+50				
2	W+100				
3	W+150				

Average  $k_1 = \dots N/m$ 

### to find K<sub>2</sub>

# Pointer reading with initial load(w), a = ...... cm

Trial No.	Load in gm (W+m)	Pointer reading 'b' in cm	Spring stretch (x & b - a) in cm	Force, F (F = mg) in N	Spring constant k <sub>2</sub> = F/x in N/m
1	W + 50				
2	W+100				
3	W+150				

Average k<sub>2</sub> =:....N/m

# To verify series combination of springs

### Pointer reading with initial load (w), a = .....cm

Trial No.	Load in gm (W+m)	Pointer reading 'b' in cm	Spring stretch (x & b - a) in cm	Force, F (F = mg) in N	Spring constant k <sub>Series</sub> = F/x in N/m
1	W + 50				
2	W+100				
3	W+150				

Average  $k_{Series} = \dots N/m$ 

Theoretical Calculation,  $k_{series} = \frac{k_1 k_2}{k_1 + k_2}$  in Nm<sup>-1</sup>

$$k_{\text{series}} = \frac{k_1 k_2}{k_1 + k_2} \text{ in Nm}^{-1}$$

### To verify Parallel combination of springs

### Pointer reading with initial load (w), a = .....cm

Trial No.	Load in gm (W+m)	Pointer reading 'b' in cm	Spring stretch (x & b - a) in cm	Force, F (F = mg) in N	Spring constant k <sub>Parallel</sub> = F/x in N/m
1	W + 50				
2	W+100				
3	W+150				

Average k<sub>Parallel</sub> =.....N/m

# Theoretical Calculation, $k_{parallel} = k_1 + k_2$ in Nm<sup>-1</sup>

$$k_{parallel} = k_1 + k_2 \text{ in Nm}^{-1}$$

#### Result

The spring constants for the springs are found to be,  $k_1 = \dots N/m$  $k_2 = ..... N/m$ 

.The spring constants for the combination of springs are found to be,

Combination	Theoretical	Experimental
Series	k <sub>Series</sub> =	k <sub>Series</sub> =
Parallel	k <sub>Parallel</sub> =	k <sub>Parallel</sub> =

Signature of the Teacher

Marks Obtained:.....

Date:

CALCULATION:

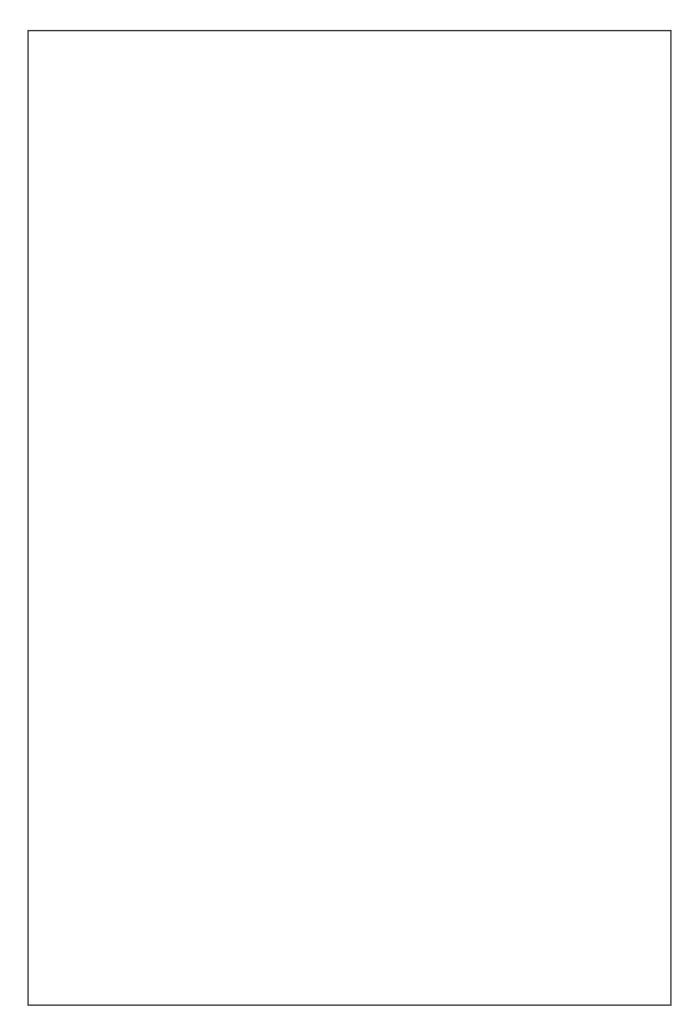
CALCULATION:

CALCULATION:

CALCULATION:

CALCUL	ATION:			

CALCULATION:



Exp. No.

Date:

# TORSIONAL PENDULUM

**AIM:** To determine the rigidity modulus of the material of the given wire and moment of inertia of an irregular bodies about an axis perpendicular / parallel (along) to its plane using torsion pendulum

**APPARATUS:** Regular bodies (consider circular & rectangular plates) chucknut arrangements to clamp the wire, stop dock, pointer and an irregular body (consider triangle / pentagon plates), thread, meter scale

**PRINCIPLE:** A rigid body suspended from one end of a wire whose other end is fixed to the rigid support is called a torsional pendulum The rigid body (rod or disc) is turned in its own plane to twist the wire, so that, on being released, it executes torsional oscillation about the wire as axis The angular acceleration of the disc is proportional to its angular displacement, and, therefore, its motion is simple harmonic.

Hence its time period is given by,  $T = 2\pi \sqrt{\frac{I}{C}}$ 

therefore,

$$C = 4\pi^2 \left(\frac{I}{T^2}\right)_{mean}$$

where, C is the couple per unit twist given by  $c = \frac{\pi \eta(r^4)}{2l}$  for wire.

#### **FORMULA:**

Rigidity modulus of the material of the wire is given by,

1.  $\eta = \frac{8\pi l}{r^4} \left(\frac{I}{T^2}\right)_{mean} = \underline{\qquad N/m^2}$ 

Where,

'η' is the rigidity modulus of the material in  $N/m^2$ ,

'r' is the radius of the wire in m,

l is the length of the pendulum in m,

I is the moment of inertia in Kgm<sup>2</sup>,

T is the time period of oscillation in s,

 $\left(\frac{I}{T^2}\right)_{mean}$  is the average value of regular bodies.

# Moment of Inertia of the irregular body about an axis perpendicular to its plane is given by,

$$2 \qquad I_1 = T_1^2 \left(\frac{I}{T^2}\right)_{mean} = \underline{\hspace{1cm}} Kgm^2$$
 Where,

I<sub>1</sub> is the moment of Inertia of the irregular body m Kgm<sup>2</sup>,

T<sub>1</sub> is the time period of oscillation in s.

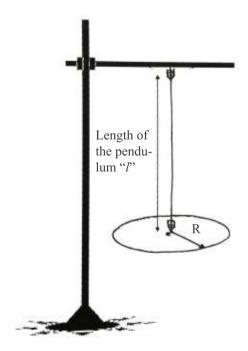
# Moment of Inertia of the irregular body about an axis parallel to its plane is given by,

3. 
$$I_2 = T_2^2 \left(\frac{I}{T^2}\right)_{mean} =$$
\_\_\_\_\_Kgm<sup>2</sup>

I<sub>2</sub> is the moment of Inertia of the irregular body in Kgm<sup>2</sup>

 $T_2$  is the time period of oscillation in s.

#### **DIAGRAM**



TORSIONAL PENDULUM

#### PROCEDURE:

- The length of the torsion pendulum wire (!) is measured and the radius (r) of the given wire is noted.
- ♦ Mass (M) and Radius (R) of circular plate as well as Mags (M), (L) & (B) of the rectangular plate are measured in SI units and tabulated.
- Regular body (say circular) is fixed to the pendulum using the chuck-nut arrangement.
- ❖ A pointer is mounted vertically in front of the reference line when the plate is at rest.
- The circular plate is slightly rotated in the horizontal plane and let free to execute torsional oscillations.

<b>*</b>	Time :	for	10	oscillations	is	determined	for	two	trails	and	period	T	is
	calcula	atec	1										

- ❖ The procedure is repeated for different axis of rotations for all the bodies. (circular/rectangular/irregular plates) and period T is tabulated for each case
- ❖ Calculate the moment of inertia corresponding to foe axis of rotation of regular bodies.
- Determine the  $\left(\frac{I}{T^2}\right)_{mean}$  of the regular bodies.
- $\diamond$  Calculate rigidity modulus of the given material ( $\eta$ ) using formula 1.
- $\diamond$  Calculate moment of inertia of the irregular body ( $I_1$  and  $I_2$ ) using formula 2 and 3.

#### RESULT

1.	Rigidity	modulus	of the	material	of the	given	wire	is	found	to	be
----	----------	---------	--------	----------	--------	-------	------	----	-------	----	----

$$\eta =$$
\_\_\_\_\_N/m<sup>2</sup>

2. Moment of Inertia of the irregular body about an axis perpendicular to its plane is found to be

$$I_1 = \underline{\hspace{1cm}} Kgm^2$$

3. Moment of Inertia of the irregular body about an axis parallel to its plane is found to be

Signature of the Teacher

Date:

**Marks Obtained** 

		DETERMI	NATION	OF $({ m I}/{ m T}^2)$ C	DETERMINATION OF (I/T²) OF REGULAR BODIES	BODIES			
Regular Body	Axis of rotation	Time fo	r 10 osci	llations	Period	${f T}^2$	Moment of	(1)	_
)	/ MI Formula	$\mathbf{T}_1$	$\mathbf{T}_2$	T <sub>2</sub> Mean	T=t/10	16-7	inertia I	(ZL)	
		(S)	(s)	,t, (s)	(s)	(22)	$(Kgm^2)$	$(Kgm^2/s^2)$	
Rectangular Plane	Perpendicular to its plane								1
	$M(L^2 + B^2)$								
m= Kg	12								
	Perpendicular to								_
L = M	its length								
	$\frac{ ext{ML}^2}{ ext{}}$								
B = m	12								
	Perpendicular to								
	its bicadii								
	$\frac{1}{12}$								
Circular plane	Perpendicular to								
	its plane								
M= Kg									
R= m	Parallel to plane								
$*(C = 2\pi R)$	$\frac{\text{MR}^2}{4}$								
(	)								

T <sub>2</sub>	$(\mathbf{s}^2)$	$T^2_1$	Z Z
Period	T = t/10 (s)	, ,	. 0
lations	Mean 't' (s)	T	T <sub>2</sub>
Time for 10 oscillations	T <sub>2</sub> (s)		
Time	$T_1$ (s)		
Axis of rotation / MI	Formula	Perpendicular to its plane	Parallel to its plane
Irregular Body		Triangular	Pentagon

CALCULATION:	

CALCULATION:		

CALCULATION:			

CALCULATION:		

CALCULATION:		

CALCULATION:	

#### NOTE:

- Determine the radius of the circular disc using Circumference =  $2\pi r$ .
- ❖ Care should be taken while **winding or unwinding** the bodies. (It should be removed from the clamp and then wound or unwound).
- ❖ Use the **lower chuck** nut to give Oscillations.
- Determine the **radius** of the specimen wire carefully with accuracy upto third decimal place.
- ❖ Experimental wire should be fairly long, thin and uniform.
- \* Radius of the wire should be measured carefully, because any error in this may result uncorrect result as it occurs in fourth power.
- ❖ Do not twist the wire beyond its elastic limit.
- Support must be rigid, on which the wire the regular and irregular bodies are suspended.

#### **VIVA - VOCE**

- 1. How do you distinguish between translatory and rotatory motion?
- 2. What do mean by inertia of a body? On what factor does it depend?
- 3. What is moment of inertia of a body? What is its physical significance?
- 4. Why is it called moment of inertia? Upon what factors does this depend?
- 5. What do you mean by radius of gyration? On what factor does it depend?
- 6. When is the moment of inertia of a body minimum?
- 7. Is moment of inertia a vector or a scalar quantity?
- 8. Should the amplitude of Oscillation be small in this case also, as in the case of simple pendulum?
- 9. What is the expression for time period of Oscillation? Upon what factors does it depend?
- 10. What type of suspension wire will you chose for this experiment and why?
- 11. Explain what do you mean by elasticity and its limit.
- 12. Define rigidity modulus.
- 13. State Hooke's Law.

$$-0 - 0 - 0 -$$

Exp No.:

## TRANSISTOR CHARACTERISTICS

**AIM** 

To draw the characteristics for a transistor in common emitter mode and hence to determine the input impedance  $R_i$ , output impedance  $R_0$ , current gain  $\beta$ , and hence  $\alpha$ .

Date:

APPARATUS: Transistor (BC107, SL100), DC Dual power supply (0-10 volts), DC Milliammeter, DC Microammeter, DC Voltmeter, Resistor (33K), etc.

**PRINCIPLE** 

In a transistor; the emitter - base junction of a transistor is forward biased, and the base - collector junction is reverse biased so that the collector collects the electrons emitted from the emitter and the base current controls the collector current. By measuring the change in collector current due to small change in base current at constant collector - emitter potential, the input impedance  $R_i$ , output impedance  $R_0$ , current gain  $\beta$ , and hence  $\alpha$ can be calculated.

**FORMULA** 

: 1. The input impedance of the transistor is given by

Slope = 
$$\frac{AB}{BC}$$

$$R_{i} = \frac{V_{i}}{I_{i}} = \frac{\Delta V_{BE}}{\Delta I_{B}} = \frac{1}{Slope}$$
  $\Omega$ 

where,

= Input impedance in  $\Omega$ 

 $V_i$  = Input Voltage in V

I<sub>i</sub> = Input current in A

 $\Delta V_{BE}$  = Change in emitter to base voltage in V.

 $\Delta I_{\scriptscriptstyle B}$ = Change in base current in A.

The output impedance of the transistor is given by

Slope = 
$$\frac{AB}{BC}$$

$$R_{0} = \frac{V_{0}}{I_{0}} = \frac{\Delta V_{CE}}{\Delta I_{C}} = \frac{1}{\text{Slope}}$$

where,

 $R_0$ = Output impedance in  $\Omega$ 

Output Voltage in V

= Output current in A

 $\Delta V_{CE}$  = Change in emitter to collector voltage in V.

= Change in collector current in A.  $\Delta I_{c}$ 

3. The current gain in CE mode is  $\beta$ 

$$\beta = \left(\frac{\Delta I_{C}}{\Delta I_{B}}\right)_{V_{CE}}$$

where,

$$\Delta I_{C}$$
 =  $I_{C2}$  -  $I_{C1}$  in mA

$$\triangle I_{B} = I_{B2} - I_{B1} \text{ in } \mu A$$

4. The current gain in CB mode is  $\alpha$ 

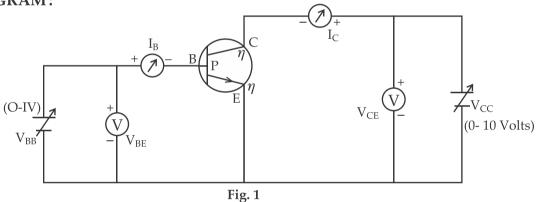
$$\alpha = \frac{\beta}{1 + \beta}$$

where,

 $\beta$  = Current gain in CE mode.

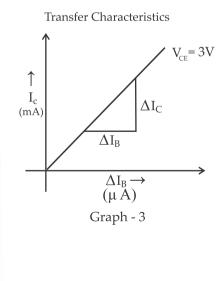
 $\alpha$  = Current gain in CB mode

## **DIAGRAM:**



Input Characteristics

Output characteristics  $\uparrow \\ I_{B}$   $\downarrow I_{A}$   $\downarrow I_{C}$   $\downarrow I_{$ 



PL	20	C1	FI	T.	IR	$\mathbf{F}$	

- Circuit connections are made as shown in figure 1.
- $V_{CE}$  is kept constant. (say 2V) and  $V_{BE}$  is varied in steps of 0.05 volt and  $I_{B}$  is noted. [The experiment can be repeated for different values of  $V_{CE}$  (5V, 10V)].
- $\diamond$  A graph (1) is plotted taking  $I_B$  reading along Y axis and  $V_{BE}$  readings along X-axis.
- $\diamond$  Input impedance  $R_i$  is determined by calculating the value of slope from graph (1).
- \* Keeping  $I_B$  a constant (Say 20 μA)  $V_{CE}$  is varied in steps of 0.5V and  $I_C$  is noted. [The experiment can be repeated for different values of  $I_B$  (repeat for 40 μA)].
- $\diamond$  A graph (2) is plotted taking values of  $I_C$  along Y-axis and  $V_{CE}$  along X-axis.
- $\diamond$  Output impedance  $R_0$  is determined by calculating the value of slope, from graph (2).
- $\diamond$  Current Gain  $\beta$  is determined by using the formula (3)
- $\diamond$   $\alpha$  is calculated using the formula (4).
- For transfer characteristics, we keep  $V_{CE}$  at 3V and vary  $I_B$  in steps of  $10\mu A$  and note the corresponding value of  $I_C$ . Make a plot of  $I_C$  Vs  $I_B$  as shown in Graph 3. The current gain ' $\beta$ ' is found by calculating the slope of the straight line.
- Observations and results are tabulated.

## **RESULTS:**

The input characteristics, output characteristics and transfer characteristics of transistor in
common Emitter mode are drawn

	The input impedance R <sub>i</sub> in CE mode	=		Ω.	
	The output impedance R <sub>0</sub> in CE mode	=		Ω.	
	CurrentGain β in CE mode	=			
	Current Gain α in CB mode	=	·		
Signature o	of the Teacher :		Marks Obtained	d: [	
Date :					

## **OBSERVATIONS AND CALCULATIONS**

## INPUT CHARACTERISTICS

Trial No.	V <sub>CE</sub> =	V	V <sub>CE</sub> =	V
	V <sub>BE</sub> (V)	I <sub>B</sub> (μA)	V <sub>BE</sub> (V)	I <sub>B</sub> (μA)
1.	0.00		0.00	
2.	0.05		0.05	
3.	0.10		0.10	
4.	0.15		0.15	
5.	0.20		0.20	
6.	0.25		0.25	
7.	0.30		0.30	
8.	0.35		0.35	
9.	0.40		0.40	
10.	0.45		0.45	
11.	0.50		0.50	
12.	0.55		0.55	
13.	0.60		0.60	
14.	0.65		0.65	
15.	0.70		0.70	
16.	0.75		0.75	
17.	0.80		0.80	
18.	0.85		0.85	

## **OUTPUT CHARACTERISTICS**

Trial No.	I <sub>B</sub> =	μΑ	I <sub>B</sub> =	μΑ
	V <sub>CE</sub> (V)	I <sub>C</sub> (mA)	V <sub>CE</sub> (V)	I <sub>C</sub> (mA)
1.	0.0			
2.	0.5			
3.	1.0			
4.	1.5			
5.	2.0			
6.	2.5			
7.	3.0			
8.	3.5			
9.	4.0			
10.	4.5			
11.	5.0			

## TRANSFER CHARACTERISTICS

Trial No.	$V_{CE} = 3V$		
	$I_{B}(\mu A)$	I <sub>C</sub> (mA)	
1	0		
2	10		
3	20		
4	30		
5	40		
6	50		
7	60		
8	70		
9	80		
10	90		

CALCULATION:	

CALCULATION:			

C	CALCULATION:			

CALCULATION:	

CALCULATION	:		

CALCULATION:		

CALCULATION:

CALCULATION:	

#### NOTE:

- Circuit connections are made properly.
- ❖ Care should be taken to keep the input current properly since it is of small magnitude.
- Current limiting resistor at base should be of high value.
- Identify the terminals of transistor carefully.
- Biasing should be done properly.
- ❖ Handle the leads of the devices with care.

## **VIVA-VOCE**

- 1. What do you mean by biasing?
- 2. What is a transistor and how many types are there?
- 3. What are the three terminals of a transistor called and explain their function. How do you identify them?
- 4. What are the comparative differences in doping concentration between the emitter, base and the collector terminals of a transistor?
- 5. Define current amplification of a transistor.
- 6. What does the arrow in the transistor symbol represent?
- 7. What are three basic transistor connection modes?
- 8. Why should the base be very thin and very lightly doped?
- 9. What happens if both the transistor junctions are reverse biased?
- 10. State at least two fundamental differences between a diode and a transistor.
- 11. Why is CE mode preferred over any other mode?
- 12. What are the applications of a transistor?

$$-0 - 0 - 0 -$$

# Magnetic Field along the axis of a coil

**<u>Aim:</u>** To determine the magnetic field intensity along the axis of a circular coil carrying current and earth's horizontal magnetic field by deflection method.

**Apparatus:** Deflection magnetometer, sprit level, commutator, ammeter, variable power supply and connecting wires.

## **Principle:**

## Formula:

$$B = \frac{\mu_0 n l}{2} \frac{a^2}{(a^2 + x^2)^{3/2}} = T$$

Where:

B = the magnetic field intensity at the centre of a circular coil in Telsa T.

n = number of turns in the TG coil.

a = radius of the coil in meter m.

x = distance between the centre of the coil and pointer in compass box in meter m.

I = the current through the coil in ampeare A.

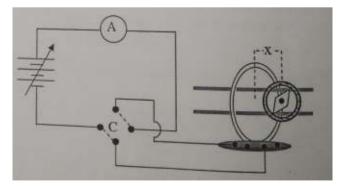
 $\mu_0$  = Permeability of free space =  $4\pi\times 10^{\text{--}7} Hm^{\text{--}1}$ 

$$B_{H} = \frac{B}{\tan \theta} = T$$

Where:

 $B_H$  = horizontal component of earth's magnetic field  $\theta$  = mean deflection in TG.

## Circuit Diagram



#### **Procedure:**

- 1. The connections are made as shown in the circuit diagram.
- 2. Arrange the deflection of the magnetometer in the magnetic meridian of the earth

- 3. Now align the plane of the coil with respect to 90°-90° line of the magnetometer.
- 4. Keep the magnetometer exactly at the centre of the coil (for this case x = 0).
- 5. Pass a current I (say 0.2A) to flow through the coil and the corresponding magnetometer deflections  $\theta_1$  and  $\theta_2$  are noted after the needle comes to stand still.
- 6. The direction of the current is reversed by using the commutator C and the corresponding magnetometer deflections  $\theta_3$  and  $\theta_4$  are noted.
- 7. Average deflection  $\theta$  is calculated.
- 8. Calculate the magnetic field at the centre of the coil by using the given formula  $B = \frac{\mu_0 n l}{2} \frac{a^2}{(a^2 + x^2)^{3/2}} \text{ and also } B_H.$
- 9. Repeat the experiment for different values of x ( say 5cm, 10cm, ...) by sliding the magnetometer along the axis.
- 10. Find the average of both B and B<sub>H</sub>.Radius of the coil = a = 8.2 cm, n= 50 turns, I = 0.2 A

## **Tabular Column:**

Sl. No.	Current I in A	X in cm	Deflections in de- grees			Average θ in degree	<b>B</b> in ×10⁻⁵T	$B_{H} = \frac{B}{\tan \theta}$	
			$\theta_{_1}$	$\theta_2$	$\theta_3$	$\theta_4$			$(x10^{-6} T)$
1.		0							
2.	0.2	5							
3.	0.2	10						·	
4.		15							

Mean value of  $B_H = \dots$ 

#### Result:

The	Earth's	horizontal	magnetic	field	by	deflection	method	is	found	to	be
В :	=	Т									

Signature of the Teacher Marks obtained: .....

Date:

CALCULATION:

CALCULATION:	

CALCULATION:		

CALCULATION:		

CALCULATION:		

CALCULATION:		

CALCULATION:		

Experiment No	Date:

# Single Cantilever

**AIM:** To determine the young's modulus of the material of the given bar (meter scale) by using a meter scale.

**APPARATUS:** Uniform meter scale (rectangular steel beam with pointer pin), clamp, scale K pan, weights, travelling microscope, lamp etc.

**PRINCIPLE:** A cantilever is a horizontal beam, one end of which is clamped rigidly and the other end is loaded. Under the action of the load at the free end and the reaction at the clamped end, a couple is developed which bends the beam. The internal bending moment is equal and opposite to the external couple and the restoring force is proportional to the depression at the loaded end. By measuring the depression for various loads the young's modulus is determined.

#### FORMULA:

Young's modulus (Y) of the material of the wire is given by,

$$Y = \frac{4mgl^3}{bd^3\delta} = .....N / m^2$$

Where,

Y is the young's modulus of the material in  $N/m^2$ ,

m is the load in kg,

g is the acceleration due to gravity  $m/s^2$ 

1 is the length of the cantilever in m,

b is the breadth of the cantilever in m,

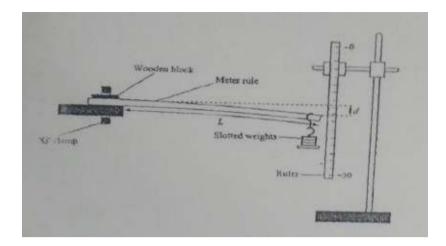
d is the thickness of the cantilever in m,

 $\boldsymbol{\delta}$  is the depression produced due to load in m

# Least Count of travelling microscope:

$$LC = \frac{Value \text{ of } 1 \text{ MSD}}{Total \text{ Number of } VSD} = \dots ....$$
cm

## **Diagram**



### **PROCEDURE:**

- ❖ The length of the cantilever is measured, breadth and thickness of the cantilever is noted,
- One end of the scale is clamped rigidly to table and the other end at the length '1' a pin is fixed vertically and weight hanger is fixed at this point.
- ❖ The travelling microscope is adjusted so that the tip of pin coincides with the crosswire.
- ❖ With no load in the hanger, the travelling microscope is focused on the pin and the reading is noted.
- ❖ Increase the load in hanger in steps of 20g (say W +0 g to W + 100 g) and note down the corresponding reading.
- ❖ Decrease the load in hanger in steps of 20 g (say W + 100 g to W + 0 g) and note down the corresponding reading.
- The mean depression 'δ' for a definite load 'm' is determined.
- ❖ Calculate the young's modulus 'Y' using formula 1.

## **RESULT:**

Young's moduli	ıs Y'	of the	material	of the	given	beam	is fo	ound	to	be
V =	N / 1	$m^2$								

Signature of Teacher Marks Obtained ......

Date:

# **OBSERVATIONS AND CALCULATIONS:**

Tabular Column to find Depression (6)

Least Count of Travelling Microscope  $LC = \frac{vaute \ v_J}{Total \ Number \ of \ VSD} = \dots cm$  $Value\ of\ 1\ MSD$ 

Depression $R_1 \sim R_2$ cm				
Mean R <sub>2</sub> cm				
sing	CVD TR cm			
Load decreasing	CVD			
Load	MSR			
sing	TR cm			
Load increasing	CVD			
Loac	MSR cm			
Load in scale Pan	gram	09 + M	W + 80	W + 100
Mean R <sub>1</sub> cm				
sing	CVD TR cm			
Load decreasing	CVD			
Loac	MSR			
sing	TR			
Load increasing	CVD			
Load	MSR			
Load in Scale Pan	gram	M + 0	W + 20	W + 40

Mean depression in 6' = ...... m

CALCULATION:			

CALCULATION:			

CALCULATION:

CALCULATION:		

CA	ALCULATION :			

CALCULATION:		

#### NOTE:

- ❖ Once the setup is done you are not supposed to **disturb** the apparatus.
- Focussing the **pin tip** should be as clear as possible.
- At each **loading and unloading** of the beam, the weights must be added and removed gently to avoid Oscillations.
- **Breadth, length and thickness** should be measured accurately.

### **VIVA-VOCE**

- 1. What do you understand by elasticity?
- 2. What do you mean by limit of elasticity?
- 3. What do you mean by stress and strain? What are their units and dimensions?
- 4. How many types of strains are there? How are they produced?
- 5. How many types of stress are there? How will you produce them?
- 6. What is the difference between stress and pressure?
- 7. What is modulus of elasticity?
- 8. Define different types of modulus of elasticity with their units.
- 9. What is the effect of temperature, drawing hammering, annealing and impurity on elastic moduli of a metal?
- 10. Give one example for material whose elasticity increases with decrease of temperature.
- 11. What is the practical use of the knowledge of elastic moduli?
- 12. What do you mean by neutral surface, neutral axis bending moment?
- 13. Do all the filaments other then those lying in the neutral surface suffer equal cha
- 14. Does the weight of the beam not contribute to the depression at the center? If yes, why have you not taken into account?
- 15. Instead of keeping the breadth of the beam horizontal can you keep it vertical? What is the practical use of this information?
- 16. Which of the quantities 'b' or'd' should be measured more accurately and why?
- 17. What type of beam will you select for your experiment and why?
- 18. Why do you load and unload the beam in small steps and gently?
- 19. How will you determine the rigidity of fluids?

CALCULATION:

Exp No.: Date:

# LASER DIFFRACTION

**AIM** : To Determine the wavelength  $(\lambda)$  of the given laser source using diffraction

grating.

**APPARATUS**: Laser source, grating, screen with graph paper, etc.

**PRINCIPLE**: Diffraction is the bending of light waves after they pass through small

openings (or around the small obstacles). The diffraction of light wave is possible only when the size of the obstacle is of the order of wavelength of incident light i.e.  $\lambda \approx d$ . The diffraction pattern consists of variation of

intensity of the image being formed.

**FORMULA**: The condition for maximum intensity is

 $n\lambda = d\sin\theta$ 

i.e.,  $\lambda = \frac{d \sin \theta}{n} m$ 

where n is order of spectrum.

 $\lambda\,$  is wavelength of laser light in metres

d = grating constant in m

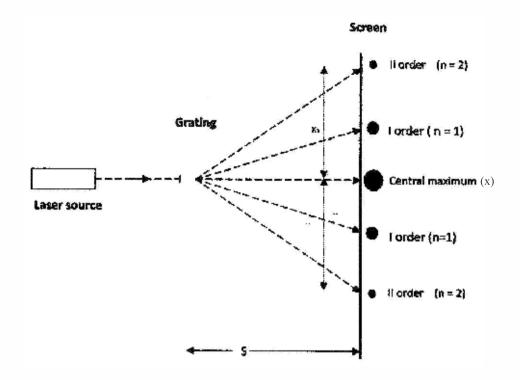
 $\theta$  = angle of diffraction in deg.

# PROCEDURE:

1. Arrange the experiment set up as shown in the figure, such that the laser source, grating and screen are in the same line.

- 2. Keep the distance between the screen and grating as 50 cm (s).
- 3. Note the diffraction pattern obtained on the screen, in a graph sheet.
- 4. Mark the centre bright spot as X.
- 5. Measure the distance between the first pair of spots (n=1) from the centre spot and tabulate.
- 6. Similarly distance between the 2nd order, 3rd order, 4th order & 5th order spots are noted down.
- 7.  $\lambda$  is calculated using the formula.
- 8. Average value of  $\lambda$  is calculated and the result is obtained.

# **RAY DIAGRAM:**



**TABULAR COLUMN:**  $d = 1X10^{-5}$  m; s = 50 cm

Order n	2X <sub>n</sub> in cm	X <sub>n</sub> in cm	$\sin \theta_n = X_n / S$
1			
2			
3			
4			
5			

$$\lambda n = \frac{d \sin \theta_n}{n} m$$

# **RESULTS:**

The wavelength of the given laser source = \_\_\_\_\_ m

Signature of the Teacher:
---------------------------

Marks Obtained :

Date:

CALCULATION:		

CALCULATION:		

CAL	CULATION:			

CALCULATION:	

CALCULATION:		

Exp No.:

Date:

# PHOTO DIODE CHARACTERISTICS

**AIM** 

To study the V-I characteristics of a photo diode in reverse bias and the variation of the photo current as a function of reverse voltage and intensity.

**APPARATUS**: Photodiode, (0-20v) Power supply, voltmeter, ammeter, light source, resistance (1K $\Omega$ ) and patch cards.

**PRINCIPLE** 

A photodiode is a p-n junction diode, in which the reverse saturation current increases when it is illuminated with light. When a p-n junction is reversing biased, practically it does not conduct. However small current flows through the circuit due to the minority carriers in p and n regions. It is called dark current. When a light of suitable intensity is incident on the junction; the light photons bombard the junction and produce electronhole pair. The current through the circuit increases. The strength of the current increases with the increase in the intensity of light.

#### **FORMULA**

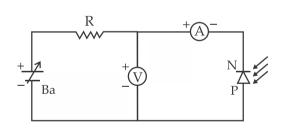
$$E_V = \frac{\phi_V}{d^2} = \underline{\qquad} lux$$

 $E_v = Illumination in Lux (or lx)$ 

 $\phi_v$ = Luminious flux in Lumen (lm)

D = Distance between the light source and photo diode in meter (m)

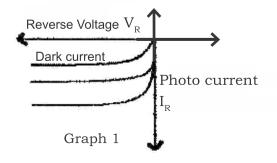
#### **CIRCUIT DIAGRAM**

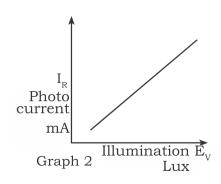


Where,

R is the Resistor Ba is the DC Power supply V is the Digital voltmeter and A is the Digital current meter

#### GRAPH: V-I CHARACTERISTICS IN REVERSE BIAS





#### PROCEDURE:

- 1. The circuit connections are made as shown in the figure.
- 2. Increase the voltage  $(V_R)$  in terms of 0.5, till 4.5 V and note down the current reading (darkcurrent).
- 3. Now illuminate the junction diode by light from the source, maintaining at a constant intensity.
- 4. Vary the voltage in terms of 0.5  $\,^{1}$ V till 4.5  $\,^{1}$ V and note down the current reading.
- 5. For constant intensities, vary the distance of the source from the diode and note down the current.
- 6. Plot a graph of voltage v/s current across the device as shown in the figure, and also plot the graph of  $E_v$  v/s  $I_R$

#### **OBSERVATIONS:**

#### V-I Characteristics in Reverse Bias

Sl No.	Reverse Voltage V <sub>R</sub> in (V)	$\begin{array}{c} \textbf{Dark Current} \\ \textbf{(without illumination)} \\ \textbf{I}_{R} \ \textbf{(mA)} \end{array}$	Photo Current (with illumination) $I_{_{R}}\left( mA\right)$
1	0		
2	0.5		
3	1.0		
4	1.5		
5	2.0		
6	2.5		
7	3.0		
8	3.5		
9	4.0		
10	4.5		

# VARIATION OF PHOTO CURRENT WITH ILLUMINANCE

 $\varphi_{V} \backsimeq ~40$  lumen for white LED,  $$V_{\scriptscriptstyle R}$$  = 5V

Sl. No.	Position	Distance d x 10 <sup>-2</sup> m	Distance d <sup>2</sup> m <sup>2</sup>	Illuminance E <sub>v</sub> Lux	Photo current $I_R$ (mA)
1.	First	2			
2.	Second	4			
3.	Third	6			
4.	Fourth	8			
5.	Fifth	10			
6.	Sixth	12			
7.	Seventh	14			
8.	Eight	16			
9.	Nineth	18			
10.	Tenth	20			

# **CALCULATION:**

# RESULT/INFERENCE

- The V-I characteristics of Photo diode is studied. 1.
- 2. It is observed that Photo current  $(I_R)$  is independent of reverse voltage  $(V_R)$
- 3. It is observed that Photo current ( $I_R$ )is a function of Illuminane and  $I_R \propto E_V$

**Marks Obtained** Signature of the Teacher Date:

C	CALCULATION:			

CALCULATION	:		

CALCULATION	:		

C.	ALCULATION :			

CALCULATION:		

Experiment No. ...... Date: ......

# **Optical Fiber**

**<u>AIM:</u>** To determine the angle of acceptance and the numerical aperture of the given optical fiber.

**APPARATUS:** One meter length Single strand plastic optical fiber (POF) of different core diameter, Laser source, Screen, Meter scale etc.

**PRINCIPLE:** Optical fibers are light guides used in optical communication as wave guides. They are made of transparent dielectric materials like glass or plastic. An optical fiber is made of two parts. One is the inner cylindrical material made of glass or plastic called core and the other is called cladding which envelopes the core. Cladding is made of same material as that of core but with lesser refractive index. The principle mainly involved in optical guide is total internal reflection. Numerical aperture represents the light gathering capacity of an optical fiber.

### **FORMULA:**

Acceptance angle of the optical fiber is given by,

1. 
$$\theta_0 = \tan^{-1}\left(\frac{D}{2L}\right) = \underline{\qquad} \text{degree}$$

Where,

 $\theta_0$  is the acceptance angle of the optical fiber in degree

D is the diameter of the bright spot in cm

L is the distance from the optical fiber end to the screen in cm

Numerical Aperture of the optical fiber is given by,

2. NA = 
$$n_0 \sin \theta_0 = \dots$$

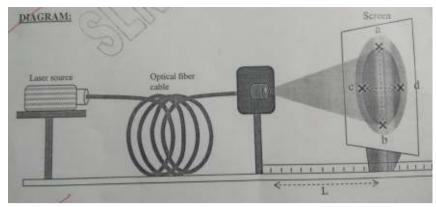
Where,

NA is the numerical aperture

 $n_0$  is the refractive index of the medium from which light is entering  $(n_0 = 1 \text{ for air})$ 

 $\theta_0$  is the acceptance angle of the optical fiber in degree

### **Diagram**



### Procedure:

- Switch on the laser source and adjust the distance between output end of the optical fiber and the screen L (say 5 cms).
- ❖ Place a graph sheet on the screen and observe the circle formed on the graph sheet.
- \* Mark the points 'a', 'b', 'c', and 'd' on the inner bright circle as shown in the diagram. Note down the horizontal diameter  $D_1$  and vertical diameter  $D_2$  of the inner bright circle in the tabular column.
- Repeat the above steps for different values of L (4 cms, 3 cms....)
- ❖ Find the acceptance angle from the tabular column and hence the numerical aperture.

### Tabular Column:

Trail No.	L (in cm)	Horizontal diameter D <sub>1</sub> (in cm)	Vertical diameter D <sub>2</sub> (in cm)	Mean diameter D (in cm)	Acceptance angle $\theta_0 = \tan^{-1}\!\left(\frac{D}{2L}\right)$	$\begin{array}{c} \textbf{Numerical} \\ \textbf{aperture} \\ \textbf{NA} \\ \textbf{NA} = \textbf{Sin} \\ \theta_o \end{array}$
1.						
2.						
3.						
4						

$$(\theta_0)_{\text{mean}} = \dots$$
  $(NA)_{\text{mean}} = \dots$ 

### Result:

The angle of acceptance and Numerical aperture of the given optical fiber are found to be

$$\theta_0 = \dots NA = \dots$$

Signature of the teacher:

Marks Obtained

Date

CALCULATION:

CALCULATION:

CALCULATION:			

CALCULATION:

# APPENDIX - I

# SYMBOL FOR ELECTRICAL AND ELECTRONIC DEVICES

Name	Symbol of the Device	Name	Symbol of the Device	
DC Battery	• 1	Oscillator	<u>@</u>	
Resistor	·	Inductor	co	
Variable Resistor		Capacitor	<u> </u>	
Standard Resistance Box	~ RB	Transformer	A C	
Variable Resistance Box	0 RB	Ammeter DC		
Rheostat	· · · · · · · · · · · · · · · · · · ·	Ammeter AC	<b>△</b>	
Plug Key	Closed Open	Voltmeter DC		
Diode	0-+	Voltmeter AC	~_ <u>\</u>	
Zener Diode	a <del>+</del>   o	Galvanometer	-@~ ~~~~	
Transistor (PNP)	3 C	Transistor (NPN)	B → €	

# **APPENDIX - II**

### **Least Count Calculations**

### 1) Diffraction Grating

Least count of the spectrometer =  $\frac{\text{Value of 1 MSD}}{\text{Total No. of VSD}}$ 

$$=$$
  $\frac{30'}{30}$   $=$  1 min

## 2) Young's Modulus

a) L.C. of Vernier caliper =  $\frac{\text{Value of 1 MSD}}{\text{Total No. of VSD}} = \frac{0.1 \text{ cm}}{10} = 0.01 \text{ cm}$ 

b) L.C. of Screw gauge =  $\frac{\text{Pitch}}{\text{Total No. of divisions on Head Scale}}$ 

$$= \frac{1 \text{ mm}}{100} = 0.01 \text{ mm}$$

Pitch =  $\frac{\text{Distance moved on Pitch scale}}{\text{No. of rotations given}} = \frac{5 \text{ mm}}{5} = 1 \text{ mm}$ 

c) L.C. of Travelling Microscope =  $\frac{\text{Value of 1 MSD}}{\text{Total No. of VSD}}$ 

$$=$$
  $\frac{0.05 \text{ cm}}{50}$   $=$  0.001 cm

# 3) Newton's Rings

L.C. of Travelling Microscope =  $\frac{\text{Pitch}}{\text{Total No. of divisions on Head Scale}}$ 

$$=\frac{1 \text{ mm}}{100} = 0.01 \text{ mm}$$

Pitch =  $\frac{\text{Distance moved on Pitch scale}}{\text{No. of rotations given}} = \frac{5 \text{ mm}}{5} = 1 \text{ mm}$ 

NOTES:			

NOTES:	